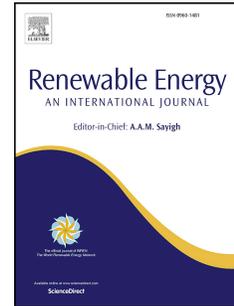


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# 1 Experimental observations of active blade pitch and generator control influence on floating 2 wind turbine response

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## 7 **Abstract**

8 In this paper, the influence of wind turbine blade pitch and generator controls on the global  
9 response of a floating wind turbine is investigated. Several different active turbine controllers  
10 are considered and the resulting floating wind turbine global response is compared with that for a  
11 baseline configuration employing a fixed blade pitch and a fixed rotor speed. Results from  
12 platform pitch free-decay tests as well as a simultaneous dynamic wind and irregular sea state  
13 condition are used to understand the controllers' influence on floating wind turbine dynamic  
14 behavior.

15 **Keywords:** Floating, wind, turbine, control, semi-submersible

## 16 **1. Introduction**

17 Floating offshore wind turbine technology shows great promise as it enables the harnessing of  
18 abundant, clean renewable deep water wind energy [1]. However, the technology is not yet  
19 commercially mature and there are several areas where further research and development may  
20 permit smarter, more economical designs. One area of great interest pertains to active turbine  
21 blade pitch and generator controls and their influence on the coupled dynamic response of  
22 floating wind turbines [2]. Jonkman [3] showed through simulation that standard land-based  
23 controls aimed at regulating power generation can induce platform pitch instabilities for floating  
24 wind turbines with compliant foundations. Numerous researchers have worked towards  
25 developing floating wind turbine-specific turbine control strategies that prevent such instabilities,  
26 mitigate loads and properly regulate power using theoretical frameworks and simulation (e.g. see  
27 [4-13]). Despite the great interest in the topic, little work has been done experimentally to  
28 understand the influence of active turbine controls on floating wind turbine global performance.  
29 Azcona et al. [14] performed model-scale experiments of a semi-submersible floating wind  
30 turbine that incorporated aerodynamic thrust using a ducted fan which was controlled via a real-  
31 time numerical simulation with active turbine controls. Huijs et al. [15] also performed model-  
32 scale testing of a floating turbine with active turbine controls in a wind/wave basin, albeit with a  
33 fully-functioning wind turbine operating in a Froude-scaled wind environment. Both Skaare et  
34 al. [16] with the Hywind Demo and Viselli et al. [17] with the VoltturnUS 1:8 have performed  
35 numerical model correlation studies with experimental data from ocean-deployed prototypes  
36 employing active turbine controls. One of the few works that goes beyond simply incorporating  
37 turbine controls into the experiment and begins to explore the influence of control parameters on  
38 turbine performance can be found in Chujo et al. [18]. Chujo et al. performed 1/100th-scale  
39 experiments in a wind/wave basin and altered turbine blade pitch control parameters to  
40 understand their impact on rotor speed and platform pitch motion variation for a spar-based  
41 floating wind turbine.

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42 In light of the limited experimental study of active turbine controls and their impact on floating  
43 wind turbine global performance, the DeepCwind Consortium, led by the University of Maine,  
44 performed a series of 1/50<sup>th</sup>-scale model tests at the Maritime Research Institute Netherlands  
45 (MARIN) Offshore Basin of a floating wind turbine employing various active turbine control  
46 schemes. The experiments, which were performed on a semi-submersible-based floating wind  
47 turbine, provide insight into the alterations in system motions and loads resulting from various  
48 wind turbine controller strategies. Of particular interest in this work are the changes in the  
49 frequency domain response, phase of the response relative to the environmental inputs and  
50 response statistics for select quantities that typically respond strongly to aerodynamic loads.  
51 Specifically these quantities include the platform surge motion, platform pitch motion, nacelle  
52 surge acceleration and upwind fairlead tension. In addition, the controller actuation behaviors  
53 are also studied.

## 54 2. Model Test Description

55 For this campaign, the model tests were performed in MARIN's Offshore Basin [19]. The  
56 directions of the winds and waves produced in the basin, in addition to the orientations of the  
57 rigid-body degrees of freedom (DOF), are depicted in Fig. 1. All model particulars and test data  
58 was reported at full scale by MARIN. As such, all values reported in this paper are presented at  
59 full scale.

### 60 2.1. Environmental Conditions

61 The operating environment used for investigating the influence of wind turbine controls on  
62 global performance consists of a dynamic wind and irregular sea state. The dynamic wind as  
63 measured at the hub-height location of 90 m above the mean water line follows a National  
64 Petroleum Directorate (NPD) spectrum [20] with a mean hub-height wind speed of 21.02 m/s.  
65 The NPD spectrum is distinct from spectra specified in standards for use in typical turbine  
66 simulation in that it only specifies the temporal variation in the longitudinal direction (i.e.,  
67 negative surge direction here) at the hub height and does not prescribe any realistic spatial  
68 variation in the features of the wind inflow. This simplistic spectrum is well suited for  
69 wind/wave basin testing as achieving temporally varying, albeit spatially uniform flows over the  
70 rotor plane area constitutes the limit of the current state-of-the-art in wind field generation for  
71 open-jet wind machines found in wave basins as used in this test campaign. That noted, this  
72 wind speed lies between the rated and cut-out wind speeds for a typical commercial wind turbine  
73 where active blade pitch control is relied upon to regulate turbine power. Wind speeds below  
74 rated, where blade pitch control is not used and only variable speed generator controls are  
75 employed, are not of interest in this work and are not considered here. The irregular sea state  
76 follows a Joint North Sea Wave Project (JONSWAP) spectrum [21] representative of a 1-year  
77 event as found in the Gulf of Maine [22]. The statistics for the dynamic wind and irregular wave  
78 can be found in Tables 1 and 2, respectively. Note that in the tables  $\sigma$  is the standard deviation,  
79  $H_s$  is the significant wave height,  $T_p$  is the peak spectral period and  $H_{max}$  is the maximum wave  
80 height. The target and measured power spectral density (PSD) as a function of frequency for  
81 each of these environmental conditions is given in Fig. 2.

### 82 2.2. Model Properties

83 The floating wind turbine used for these tests was comprised of the DeepCwind semi-  
84 submersible supporting the MARIN stock wind turbine. Specifically, the configuration is the  
85 one currently being studied for the International Energy Agency's Wind Task 30: Phase II OC5

86 project. Images of the system being tested in the MARIN Offshore Basin, which was moored by  
 87 three catenary chains, are shown in Fig. 3. Specific details on the turbine can be found in de  
 88 Ridder et al. [23] and Kimball et al. [24]. Additional details for the hull are located in Goupee et  
 89 al. [25]. A brief overview of the gross system properties are given in Table 3.

90 A comparison of the normalized full-scale target (National Renewable Energy Laboratory 5 MW  
 91 reference wind turbine [26]) and model wind turbine performance as measured at a steady hub-  
 92 height wind speed of 12.91 m/s over various rotor speeds using a collective blade pitch angle of  
 93  $1.0^\circ$  is provided in Fig. 4. The figure shows that the thrust coefficient  $C_T$  is similar between the  
 94 full-scale target and model turbines allowing for the production of the correct aerodynamic thrust  
 95 loads in the Froude-scaled wind environments of the basin. And while short of the full-scale  
 96 target, the figure also indicates that the model turbine produces a reasonable performance  
 97 coefficient  $C_P$ . The ability of the turbine to produce a fair amount of power under Froude-scaled  
 98 winds enables the execution of experiments with realistic active turbine controls as the primary  
 99 objective of wind turbine controllers is the regulation of power.  $C_T$  and  $C_P$  definitions can be  
 100 found in [27].

### 101 2.3. Blade Pitch Controller Descriptions

102 In addition to a fixed blade pitch test with a constant rotor speed, two types of active blade pitch  
 103 control algorithms were utilized. Both algorithms employ collective blade pitch actuation. The  
 104 first was a simple, robust algorithm developed by MARIN that uses integral control to reduce the  
 105 error on generator power with a target of 3.5 MW. The rotor speed was maintained at a constant  
 106 12.1 rpm using a separate control loop. MARIN devised this control strategy as a backup to a  
 107 more standard variable rotor speed configuration in an effort to de-risk the test campaign and  
 108 protect the expensive MARIN stock wind turbine model. This particular controller allows  
 109 precise regulation of the rotor speed for start-up, shut-down and general operation during testing  
 110 and prevents possible damage to the model due to potential rotor over-speed scenarios. And  
 111 while the controller was not entirely representative of a full-scale controller, it did permit a safe  
 112 means for exploring the influence of active blade pitch control on floating wind turbine response.  
 113 As such, this controller was used for a good part of the test campaign. During testing, several  
 114 integral gains were investigated by changing the integrator gain constant  $C_i$ . Responses  
 115 associated with constants of  $C_i = 25 \times 10^5$  W/s and  $C_i = 100 \times 10^5$  W/s are considered in this  
 116 work. These values were chosen through experimentation in the basin, with the final values  
 117 providing reasonable power control and blade pitch motion while still being distinct in their  
 118 respective global performance. The actual gain  $K_i$  is computed as  $C_i$  divided by the sensitivity of  
 119 rotor power to collective blade pitch angle  $\partial P / \partial \theta$ .  $\partial P / \partial \theta$ , which is a function of collective  
 120 blade pitch angle, was derived from MARIN Stock Wind Turbine performance data taken prior  
 121 to the basin tests and had the form

$$122 \quad \frac{\partial P}{\partial \theta} = 8.56 \times 10^6 - 4.96 \times 10^6 \theta \text{ W/rad}, \quad (1)$$

123 where  $\theta$  is the collective blade pitch angle in radians. The second controller, specified by the  
 124 University of Maine, attempted to emulate a simple but realistic proportional-integral collective  
 125 blade pitch control algorithm that seeks to minimize rotor speed error based on a target of 12.1  
 126 rpm. This control algorithm also uses a variable speed generator control with the target torque  
 127 being proportional to the square of rotor speed below 12.1 rpm, and equal to a constant value of  
 128 2690 kN-m at or above 12.1 rpm. The variable rotor speed aspect of this controller was viewed  
 129 as more risky to implement by the MARIN staff, and hence, was used only in a limited fashion

130 near the end of test campaign once the bulk of the data was collected. The proportional and  
 131 integral gains for the blade pitch controller are computed in accordance with the equations of  
 132 [28] using a recommended damping ratio of 0.7 and the aforementioned  $\partial P/\partial\theta$  function. The  
 133 controller frequency  $\omega_n$  is set to 0.6 rad/s for the case studied in this paper and was chosen while  
 134 tuning the controller in the basin so as to achieve reasonable rotor speed variations and blade  
 135 pitch motions. For the remainder of this work, the constant rotor speed control schemes will be  
 136 labeled CS25 and CS100 for control gains of  $C_i = 25 \times 10^5$  W/s and  $C_i = 100 \times 10^5$  W/s,  
 137 respectively. The variable speed control scheme will be denoted as VS. For the fixed blade  
 138 pitch, fixed rotor speed controller, a designation of FF will be used.

### 139 3. Free-decay Response

140 Prior to combined wind/wave testing of the floating wind turbine system, simple platform pitch  
 141 free-decay tests were performed to begin assessing the influence of controller behavior on  
 142 platform pitch dynamics. While motions other than platform pitch were excited during these  
 143 tests, in particular yaw motions due to rotor-related gyroscopic effects, these non-platform pitch  
 144 motions were relatively small compared to the primary platform pitch motion and did not exhibit  
 145 any discernable trends associated with the turbine controller selected. That noted, the cases  
 146 considered include no wind with feathered blades ( $\theta = 90^\circ$ ) to reduce aerodynamic drag, a fixed  
 147 rotor speed and fixed blade pitch ( $\theta = 17.2^\circ$ ) configuration (FF) subjected to a steady 21.19 m/s  
 148 wind and each of the three aforementioned controller configurations subjected to the same steady  
 149 21.19 m/s wind. Fig. 5 and Fig. 6 display the platform pitch free-decay time series corrected for  
 150 the mean offset (i.e., the steady-state platform pitch angle is subtracted from the response) and  
 151 damping ratio as a function of initial cycle amplitude, respectively, for each of the five turbine  
 152 configurations considered. As seen in the figures, all of the operating turbine scenarios increase  
 153 the platform pitch damping appreciably. And while there were some distinctions between the FF  
 154 case and the scenarios using a controller, overall they each seem to provide a reasonably similar  
 155 increase in overall platform pitch damping.

156 The influence of the particular control scheme on the platform pitch dynamic response becomes  
 157 more prominent when considering the change in the platform pitch damped natural period as  
 158 shown in Table 4. It is worth noting that the steady-state mean platform pitch angle is essentially  
 159 0.0 degrees for the case with no wind and a small value of approximately 2.2-2.4° for the  
 160 remaining cases with wind. Therefore, any observed differences in the damped natural period  
 161 between the configurations are not likely attributable to nonlinear hydrostatic effects. That  
 162 stated, Table 4 indicates that the operating case sans controller does not significantly alter the  
 163 platform pitch damped natural period; the three cases employing an active turbine controller each  
 164 increase the damped platform pitch period with the CS100 controller lengthening the period by  
 165 10.5% over the base case performed in the absence of wind. These observed increases are not  
 166 due solely to the growth in the damping observed in Fig. 6. The platform pitch damping  
 167 increases observed for the operating turbine cases in Fig. 6 can only account for at most ~1% of  
 168 the lengthening of the damped natural pitch period. Lengthening of the platform pitch damped  
 169 natural period as observed in the tests requires more drastic changes than just an increase in  
 170 damping. As will be discussed in the subsequent section, it is suspected that the root cause is a  
 171 controller-induced change in the platform pitch stiffness  $C_{Pitch}$ . Table 4 displays an estimate of  
 172 the required change in the platform pitch stiffness  $\Delta C_{Pitch}$  to achieve the measured change in the  
 173 platform pitch damped natural period. For the fixed rotor speed and fixed blade pitch condition,  
 174 almost no change in the pitch stiffness is observed; for the CS100 control scheme a drastic

175 18.0% reduction in the effective platform pitch stiffness is required to account for the alteration  
176 of the platform pitch damped natural period.

### 177 3.1. Controller-induced Platform Pitch Period Elongation

178 In an attempt to explain the damped platform pitch elongation displayed in Table 4, the  
179 mathematical techniques outlined in [3] are applied to the control scheme utilized in the test  
180 program. To begin, the equation of motion for the platform pitch DOF is cast in terms of the  
181 surge displacement  $x$  of the hub-height location as done in [3] giving

$$182 \frac{A_{Pitch}}{L^2} \ddot{x} + \frac{B_{Pitch}}{L^2} \dot{x} + \frac{C_{Pitch}}{L^2} x = T, \quad (2)$$

183 where  $A_{Pitch}$  is the combined physical and added inertia for the platform pitch DOF,  $B_{Pitch}$  is the  
184 linearized platform pitch damping coefficient resulting from radiation and viscous effects,  $C_{Pitch}$   
185 is a combination of linear hydrostatic and mooring line platform pitch DOF stiffness,  $L$  is the hub  
186 height of the rotor and  $T$  is the aerodynamic rotor thrust. Considering variations in  $T$  with hub-  
187 height wind speed and blade pitch orientation, a first-order Taylor series expansion yields

$$188 T = T_o - \frac{\partial T}{\partial U} \dot{x} + \frac{\partial T}{\partial \theta} \Delta\theta, \quad (3)$$

189 where  $T_o$  is the aerodynamic rotor thrust at a linearization point,  $U$  is the wind speed averaged  
190 over the rotor area and  $\theta$  is the collective blade pitch angle as noted previously. For the constant  
191 rotor speed, active blade pitch control scheme (i.e. CS25 and CS100), the perturbation in  
192 collective blade pitch angle  $\Delta\theta$  is

$$193 \Delta\theta = K_i \int_0^t \Delta P dt, \quad (4)$$

194 where  $K_i$  is the integral control gain and  $P$  is the rotor power. The rotor power  $P$  can be  
195 expanded in a similar fashion to the rotor thrust giving

$$196 P = P_o - \frac{\partial P}{\partial U} \dot{x} + \frac{\partial P}{\partial \theta} \Delta\theta, \quad (5)$$

197 with  $P_o$  being the rotor power at the linearization point. Noting that  $\Delta P = P - P_o$ , Eqs. 4 and 5  
198 can be combined to produce

$$199 \Delta\theta = K_i \int_0^t \left( -\frac{\partial P}{\partial U} \dot{x} + \frac{\partial P}{\partial \theta} \Delta\theta \right) dt = -K_i \frac{\partial P}{\partial U} x + K_i \frac{\partial P}{\partial \theta} \int_0^t \Delta\theta dt. \quad (6)$$

200 Substitution of Eq. 6 into Eq. 3 yields

$$201 T = T_o - \frac{\partial T}{\partial U} \dot{x} + \frac{\partial T}{\partial \theta} \left( -K_i \frac{\partial P}{\partial U} x + K_i \frac{\partial P}{\partial \theta} \int_0^t \Delta\theta dt \right). \quad (7)$$

202 Inserting the expression for  $T$  from Eq. 7 into the platform pitch DOF equation of motion Eq. 2  
203 gives

$$204 \frac{A_{Pitch}}{L^2} \ddot{x} + \left( \frac{B_{Pitch}}{L^2} + \frac{\partial T}{\partial U} \right) \dot{x} + \left( \frac{C_{Pitch}}{L^2} + K_i \frac{\partial T}{\partial \theta} \frac{\partial P}{\partial U} \right) x = T_o + K_i \frac{\partial T}{\partial \theta} \int_0^t \Delta\theta dt. \quad (8)$$

205 Of interest in Eq. 8 is the term multiplying  $x$  as this represents the platform pitch stiffness for the  
206 equation of motion cast in terms of the hub-height surge motion. Note that in addition to the  
207 stiffness  $C_{Pitch}/L^2$  provided by hydrostatics and the mooring system, an additional term is  
208 included involving the integral control gain  $K_i$ , the sensitivity of the aerodynamic thrust to  
209 changes in collective blade pitch angle  $\partial T/\partial \theta$  and the sensitivity of the rotor power to changes  
210 in wind speed  $\partial P/\partial U$ . Since  $K_i$  is positive,  $\partial T/\partial \theta$  is negative and  $\partial P/\partial U$  is positive, the

211 effective platform pitch stiffness is less than the pitch stiffness provided through hydrostatics and  
 212 mooring alone. In addition, if the controller is turned off, then  $K_i$  is effectively zero and the  
 213 pitch stiffness is unaltered which agrees with the experimental results. This simple mathematical  
 214 result provides a plausible explanation as to why the presence of an active blade pitch controller  
 215 elongates the platform pitch damped natural period. Granted, the derivation does not apply to  
 216 the VS controller; however, the findings displayed in Table 4 and in [25] indicate that a similar  
 217 phenomenon occurs for this turbine control scheme.

#### 218 4. Response in Combined Wind and Waves

219 When subjected to the wind and wave environments of Fig. 2, the global response of the  
 220 DeepCwind-OC5 floating wind turbine differs depending on the particular turbine control  
 221 scheme employed. Of particular interest here are platform rigid body motion, nacelle  
 222 acceleration and mooring loads. In addition, the turbine actuation responses that give rise to the  
 223 altered global performance behaviors are also of interest. The response of the FF configuration  
 224 and the deviations the various control schemes produced from the base configuration are now  
 225 discussed.

##### 226 4.1. Platform Motion

227 For the wind and wave orientations of Fig. 1, the platform DOF which are most strongly  
 228 influenced by changes in the turbine controller are surge and pitch. Fig. 7a depicts the PSD of  
 229 the platform surge as measured at the mean water line for the FF case and Fig. 7b the deviation  $\Delta$   
 230 from this base case caused by the various control schemes. As seen in Fig. 7a, the surge  
 231 response is dominated by low-frequency slow drift motion near the platform's surge damped  
 232 natural frequency of 0.0094 Hz; the response in the wave energy frequency range ( $>0.06$  Hz) is  
 233 significantly smaller. The dominant low-frequency response is attributable primarily to second-  
 234 order difference-frequency wave diffraction forces with the dynamic wind increasing the surge  
 235 response slightly for frequencies less than 0.02 Hz. The increases in surge response due to wind  
 236 loading in the FF case over a baseline test using wave loads only and a parked wind turbine in  
 237 calm air are approximately  $50 \text{ m}^2/\text{Hz}$ . When the controller is enabled, large reductions in the  
 238 low-frequency surge motion are achieved with the CS100 controller exhibiting the largest  
 239 reductions and the CS25 the least. The decreases attained with the various controllers yield low-  
 240 frequency surge responses that are similar to, or less than, a corresponding wave-only case with a  
 241 parked wind turbine and no wind applied. For the CS100 controller, the peak frequency domain  
 242 response is reduced by 42%. For all of the controllers, no appreciable change in the response is  
 243 observed in the wave energy frequency range.

244 Fig. 8a shows the phase shift in the platform surge response relative to the environmental  
 245 excitations for the FF configuration. Note that for this and subsequent figures of this type, the  
 246 phase shift of the response is computed relative to the dynamic wind speed at the hub-height  
 247 location for frequencies less than 0.065 Hz and is computed relative to the irregular wave  
 248 elevation at the undisplaced location of the platform for frequencies greater than 0.065 Hz. As  
 249 seen in Fig. 2, this is a reasonable choice for the distinction between the primary wind and wave  
 250 excitation regimes. It should be noted that this methodology will yield phase shift curves that are  
 251 not continuous at 0.065 Hz. This transition point will be noted in all relevant figures. Moving to  
 252 Fig. 8b, which shows the change in the phasing relative to the base case for each of the  
 253 controllers, it is observed the controllers have little influence in the surge response phase in the  
 254 wave energy regime; in the wind energy regime the phasing of the response is altered

255 significantly. For all cases, the phasing is altered the most near the platform surge and pitch  
256 damped natural frequencies of 0.0094 Hz and 0.031 Hz, respectively.

257 To complete the surge discussion, the platform surge statistics for the base case and the  
258 deviations caused by the three turbine controllers is presented in Table 5. As seen in the table,  
259 the mean surge is very similar for all cases. The standard deviation and range, however, are  
260 significantly reduced for all of the controller cases. The CS100 controller achieves the largest  
261 reduction of all the controllers in each of these metrics.

262 The platform pitch PSD for the FF configuration and deviation from this response caused by the  
263 various turbine controllers are shown in Fig. 9a and Fig. 9b, respectively. Similar to the surge  
264 response, the platform pitch frequency domain response for the FF case is dominated by the low-  
265 frequency motion occurring near the corresponding DOF damped natural pitch frequency (0.031  
266 Hz for platform pitch). The response in the primary wave energy frequency range is much  
267 smaller. As shown in Fig. 9b, all of the controllers reduce the platform pitch response for very  
268 low frequencies ( $<0.005$  Hz). The VS controller reduces the response all the way up to 0.04 Hz  
269 with the exception of a minute increase at the platform pitch natural frequency. The CS25  
270 controller increases the response in the range of 0.01-0.04 Hz, albeit only slightly. The CS100  
271 controller behaves similar to the VS controller except near the platform pitch natural frequency  
272 where it induces a severe increase in platform pitch response. The CS100 controller increases  
273 the peak frequency domain response for platform pitch by 113%. For all of the controllers, no  
274 observable change occurred in the wave energy frequency range.

275 Moving to Fig. 10, the platform pitch response phase shift for the FF case and the deviations  
276 from this baseline for the various controllers is given. Again, Fig. 10b shows no appreciable  
277 phase shift for frequencies dominated by wave excitation for the three controllers. Each of the  
278 controllers exhibit similar changes in the pitch response phasing relative to the wind excitation  
279 with some of the phase shifts over this frequency range being quite large.

280 To complete the discussion for this particular platform DOF, the FF configuration platform pitch  
281 statistics as well as the changes resulting from different turbine controllers is given in Table 6.  
282 For each case, the mean pitch angle is fairly similar. All of the controllers diminish the standard  
283 deviation and range. This is somewhat surprising considering the large increase in the peak  
284 frequency domain response for the CS100 controller. Of the three controllers, the VS  
285 configuration provides the most drastic reductions in platform pitch standard deviation and  
286 range.

#### 287 4.2. Nacelle Acceleration

288 The frequency domain response of the surge-direction nacelle acceleration for the FF  
289 configuration is given in Fig. 11a. Part b of the figure displays the deviation from this response  
290 for the three different turbine controllers. As one would expect from Fig. 11a, nacelle surge  
291 acceleration responses do exist beyond the 0.14 Hz limit provided in the figure, much of it due to  
292 wave excitation from the higher-frequency components of the irregular sea state. However, the  
293 responses beyond this frequency are essentially the same for all four scenarios considered here,  
294 and therefore do not provide much insight into the differences between the various control  
295 schemes. Another contribution to the nacelle surge acceleration above 0.14 Hz can be attributed  
296 to the elasticity of the tower (fore-aft bending frequency of 0.32 Hz as noted in Table 3), albeit

297 much of this response is muted by the presence of aerodynamic damping (e.g. see [29]). As such,  
298 the overall nacelle surge acceleration is dominated by the pitch motion of the platform. With  
299 that in mind, it is unsurprising that the trends observed in Fig. 11 for nacelle acceleration are  
300 similar to those found for platform pitch in Fig. 9. The one difference is the surprising dip in the  
301 nacelle surge acceleration at the heart of the wave energy frequency range (~0.08 Hz). This  
302 behavior is attributed to the semi-submersible platform dynamics and is not influenced in any  
303 meaningful way by the turbine's operation (e.g. see [30]).

304 Fig. 12 shows the FF configuration phase shifts for nacelle surge acceleration in addition to the  
305 changes from these phase shifts resulting from various controller configurations. Unlike the  
306 nacelle surge acceleration and platform pitch PSDs, the FF nacelle acceleration phases and the  
307 changes to these phases resulting from the controllers are quite distinct from the platform pitch  
308 phasing of Fig. 10. However, similarities do exist with regard to other trends. In particular, as  
309 was observed for platform pitch, the controllers yield similar types of phasing changes in the  
310 wind excitation range relative to one another and little to no phase change in the wave energy  
311 range for nacelle surge acceleration.

312 Table 7 displays the FF nacelle surge acceleration statistics and changes to these statistics  
313 obtained via different turbine controllers. As seen in the table, the mean changes marginally. It  
314 should be noted that the mean is non-zero since the surge acceleration sensor is aligned with the  
315 turbine, which possesses a small mean inclination due to wind load (i.e., a mean pitch value as  
316 shown in Table 6). As a result, a small component of the acceleration due to gravity is recorded  
317 in the surge direction by the sensor. This noted, Table 7 shows that controllers each diminish the  
318 standard deviation and range of the nacelle surge acceleration; however, each of the reductions is  
319 less than 8% with no particular control scheme distinguishing itself as the best performer in this  
320 regard.

#### 321 4.3. Mooring Loads

322 Upwind fairlead tension PSDs for the FF configuration as well as the deviation from this  
323 configuration arising from different turbine control schemes are shown in Fig. 13. As seen in  
324 Fig. 13a, the fairlead tension exhibits strong responses at both the damped natural platform surge  
325 frequency as well as in the wave energy frequency range. The response at the damped natural  
326 platform surge frequency arises from nonlinear catenary action reacting to platform slow-drift  
327 surge motion; the response in the wave energy frequency range results from viscous drag on the  
328 line reacting to the heave motion of the floating platform (e.g. see [31]). From Fig. 13b, it is  
329 observed that each of the three controllers reduces the low frequency fairlead tension response  
330 with the CS100 providing the largest reductions. Unlike the other quantities investigated thus  
331 far, the controllers also have a small influence on the response in the wave energy frequency  
332 range. The CS100 and VS controllers each provide an overall marginal reduction in the wave  
333 energy frequency range; the CS25 controller yields a slight increase in this range. Despite this  
334 unique behavior relative to the other quantities investigated in this work, wind turbine  
335 aerodynamic loads more strongly alter the platform surge response as compared to the platform  
336 heave response and therefore the primary controller fairlead tension influence resides at the  
337 damped natural platform surge frequency.

338 The upwind fairlead tension response phasing for the FF case, and deviations from this case for  
339 various turbine controllers, is given in Fig. 14. Similar to other quantities investigated, the  
340 controller does not significantly influence the phasing in the wave energy frequency range

341 despite the alterations in the PSDs at these frequencies found in Fig 13b. The changes in the  
342 phasing in the wind excitation regime are quite different between the controllers from 0.02-0.05  
343 Hz with the CS25 controller causing the largest response phase deviations.

344 Table 8 displays the upwind fairlead tension statistics for the FF configuration in addition to the  
345 changes resulting from the three turbine controllers. For all cases, the mean tension is essentially  
346 the same. All of the controllers yield reductions in the standard deviation and range, with the  
347 CS100 and VS control schemes yielding the largest reductions.

#### 348 4.4. Controller Response

349 As just discussed, active turbine controls can yield desirable reductions in floating wind turbine  
350 motions and loads. However, these improvements do not come for free; the active turbine  
351 controllers studied here can exhibit frequent blade pitch motion, changes in the reactive  
352 generator torque, variations in rotor speed about the nominal operating value and changes in  
353 aerodynamic rotor thrust. It should be noted that power, which is the product of the reactive  
354 generator torque and rotor speed, is not considered here. With near constant rotor speeds for  
355 three of the scenarios (FF, CS25 and CS100) and a fourth (VS) with a mean rotor speed similar  
356 to the three fixed-speed cases, the power statistics gathered from testing exhibit the same trends  
357 as those obtained for the reactive generator torque and provide little additional insight. That  
358 aside, Fig. 15 displays the mean, plus/minus one standard deviation and the range of the blade  
359 pitch angle for all of the controllers. As seen in the figure, the CS25 controller shows the largest  
360 range and the CS100 scheme the greatest standard deviation. The VS controller exhibits the  
361 smallest blade pitch angle standard deviation and range of all the active controllers.

362 The generator torque response for each of the control strategies is given in Fig. 16.  
363 Unsurprisingly, the base FF scheme shows the greatest variation in the generator torque. For this  
364 case, the magnitude of the standard deviation is larger than the mean generator torque. The  
365 responses for the CS25 and CS100 are similar to one another with regard to generator torque; the  
366 VS controller exhibits the least variation in generator torque. As per the control scheme  
367 discussed earlier, the torque should be more or less constant for the VS scheme. However, as  
368 seen in Fig. 16, the actual implementation of the torque controller for the VS configuration did  
369 show some variation in the generator torque. Some of this is due to dips in the rotor speed below  
370 the target 12.1 rpm where the generator torque is proportional to the square of the rotor speed.  
371 These periodic dips below the rated torque also gave rise to a mean torque less than the three  
372 fixed rotor speed configurations, and thus, an overall lower turbine power output. Of the three  
373 fixed rotor speed control schemes, the fixed blade pitch scheme produces the lowest average  
374 torque, and hence turbine power. This may be due to the fact that the blade airfoil angles of  
375 attack could have varied widely in the presence of dynamic wind with no blade pitch actuation  
376 yielding angles of attack corresponding to low lift (very low angles of attack) or high drag (large  
377 angles of attack), both of which would have diminished torque and power output.

378 To continue the controller response investigation, data regarding rotor speed performance for all  
379 the controllers is given in Fig. 17. As seen in the figure, the FF, CS25 and CS100 configurations  
380 all exhibit very tight ranges on the rotor speed as a result of their constant rotor speed control  
381 scheme. The VS controller, unsurprisingly, shows by far the largest standard deviation and  
382 range on rotor speed of any of the turbine controllers. The VS rotor speed range was 55% of the  
383 mean value, a range that is a bit larger than one would expect from a commercial land-based  
384 wind turbine.

385 Lastly, the aerodynamic rotor thrust response produced by the various control schemes is  
386 provided in Fig. 18. The thrust force displayed in the figure is measured from the tower-top load  
387 cell and is corrected for nacelle and rotor inertial effects using accelerometer data. That aside,  
388 the active controllers tend to reduce the standard deviation and range of the aerodynamic thrust  
389 as illustrated in Fig. 18, this being consistent with what one would expect of an active turbine  
390 controller. The mean values for the FF and three active are slightly different and follow the trend  
391 found for the generator torque with the highest mean value observed for the CS100 configuration  
392 and the lowest for the VS controller. And since the aerodynamic thrust force is the primary  
393 contributor to the overturning moment applied to the floating wind turbine, the findings for the  
394 mean aerodynamic thrust in Fig. 18 are consistent with the statistics given in Table 6 wherein the  
395 CS100 controller elicits the largest mean platform pitch angle and the VS arrangement the  
396 smallest mean platform pitch angle.

## 397 **5. Discussion**

### 398 5.1. Platform Pitch Dynamics

399 As revealed in the platform pitch free-decay tests, an operating wind turbine increases platform  
400 pitch damping; however, from the available data it is hard to distinguish if the controllers studied  
401 here alter this damping in a strong manner. The more prominent change in platform pitch  
402 dynamics is revealed to be an elongation of the platform pitch damped natural period that results  
403 from a suspected controller-induced reduction in the effective platform pitch stiffness that  
404 increases with increasing controller gain. Period elongations of over 10% were observed. While  
405 the performance of the floating wind turbine system in the face of combined wind and wave  
406 loading did not seem to be adversely affected by this change in the effective platform stiffness,  
407 designers may wish to consider this effect in stability and modal analyses for floating wind  
408 turbine systems. For example, the controller-induced reduction in effective platform pitch  
409 stiffness could detract from platform pitch motion improvements obtained through management  
410 of aerodynamic loads via turbine controls. Conversely, designers could utilize the elongation in  
411 platform pitch period to actively assist in avoiding platform excitation from the wave energy  
412 frequency range for operational sea states.

### 413 5.2. Global Performance Trends

414 When compared to the base FF configuration, the active turbine controllers generally reduced  
415 motions and loads, a positive result. In some instances, the reductions were consistently  
416 significant as it was for the platform surge position. In others, such as the nacelle surge  
417 acceleration, the reductions were uniformly marginal. Regardless of the change, these alterations  
418 in global performance were almost exclusively the result of modifying the low-frequency  
419 response with the only exception being the upwind fairlead tension PSD which exhibited some  
420 small deviations in behavior in the higher-frequency, wave energy range. This overall trend of  
421 low-frequency response modification was reinforced through investigation of the response  
422 phasing relative to the environmental excitation. The controllers significantly alter the response  
423 phasing relative to the low-frequency wind excitation for all of the motion and load parameters  
424 considered. The response phasing relative to the higher-frequency wave excitation was hardly  
425 altered for any of the quantities investigated, including the mooring load.

426

### 427 5.3. CS25 Controller

428 For the CS25 constant rotor speed controller, which used a smaller gain than its CS100  
429 counterpart, the slow blade pitch actuation response ultimately led to the largest pitch actuation  
430 range of any of the controllers considered. This slow control response also produced, on  
431 average, the smallest improvements in global performance of the floating wind turbine for any of  
432 the field variables investigated.

### 433 5.4. CS100 Controller

434 The higher gain constant speed controller, the CS100, exhibited the most active blade pitch  
435 motion as evidenced by it possessing the largest blade pitch angle standard deviation of any  
436 controller investigated. This control scheme yielded the largest reductions in the surge response;  
437 however, the CS100 controller exhibited large increases in the platform pitch response at the  
438 platform pitch damped natural period. This is not entirely unexpected as blade pitch controllers  
439 that operate at high frequencies have been shown through simulation to create platform pitch  
440 resonance issues (e.g. see [3]).

### 441 5.5. VS Controller

442 The most realistic blade pitch controller studied, the VS controller, overall showed the best  
443 improvement in platform motions and loads of all the controllers studied. In particular, the  
444 controller distinguished itself in its reduction of platform pitch motions relative to the other  
445 controllers. This improved performance also comes with the least variation in the blade pitch  
446 angle actuation, a desirable result. However, the rotor speed variation that accompanies this  
447 improved global performance is fairly significant indicating that much of the kinetic energy that  
448 would have been expressed as platform surge or pitch motion is likely being conveyed to the  
449 rotor.

### 450 5.6. Performance Gains and Their Trade Offs

451 Overall, the experimental data suggests that tuning of active turbine controls can influence global  
452 motions and loads for a floating wind turbine, often for the better. That stated, these  
453 improvements are often not without consequence as they are achieved at the expense of  
454 undesirable increases in blade pitch actuation motion and/or rotor speed variation. In short,  
455 floating wind turbine controller design may best be served by striking a balance between power  
456 regulation, load mitigation and controller actuator duty.

### 457 5.7 Applicability to Full-Scale Systems

458 The data given in this work uses a wind turbine and control schemes tuned to function in the low-  
459 Reynolds number, Froude-scaled environment of a wind/wave basin. This results from the fact  
460 that the turbine aerodynamic sensitivities, for example the change in power with respect to a  
461 change in blade pitch angle, are not true to scale. As such, the findings presented in this work  
462 may not accurately represent the influence of active turbine controls on the full-scale behavior of  
463 a floating wind turbine. That said, the use of properly Froude-scaled wind environments along  
464 with a performance-matched wind turbine that preserves aerodynamic thrust performance should  
465 emulate the general trends one would observe of controller-induced floating system behavior at  
466 full-scale. Definitively resolving the discrepancy between model-scale and full-scale floating  
467 wind turbine controller behavior should be pursued in future work.

468

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556

557 **Tables**

Mean (m/s)	$\sigma$ (m/s)	Max. (m/s)	Min. (m/s)
21.02	2.15	30.00	12.93

558 Table 1. Hub-height wind speed statistics for the dynamic wind.

559

$H_s$ (m)	$T_p$ (s)	Max. (m)	Min. (m)	$H_{max}$ (m)
7.05	12.09	7.47	-6.69	13.17

560 Table 2. Statistics for the irregular wave.

561

Rotor Diameter (m)	126.0
Hub Height (m)	90.0
Draft (m)	20.0
Mooring Spread Diameter (m)	1675
Mass w/ Turbine (MT)	13,958
Displacement (MT)	14,265
Center of Gravity Above Keel (m)	11.93
Roll Radius of Gyration (m)	32.63
Pitch Radius of Gyration (m)	33.38
Tower Fore-aft Bending Frequency (Hz)	0.32

562 Table 3. Gross properties of the DeepCwind-OC5 floating wind turbine.

563

Blade Pitch $\theta$	Rotor Speed (rpm)	Controller Setting	Pitch Period (s)	$\Delta C_{Pitch}$ (%)
90.0°	0.0	N/A	32.5	N/A
17.2°	12.1	FF	32.2	1.9
Active	12.1	CS25	33.2	-4.2
Active	12.1	CS100	35.9	-18.0
Active	Variable	VS	33.6	-6.4

564 Table 4. Platform pitch damped natural periods as measured from free-decay tests and estimated  
565 change in platform pitch stiffness.

566

	FF (m)	$\Delta$ CS25 (%)	$\Delta$ CS100 (%)	$\Delta$ VS (%)
Mean	-7.40	2.0%	2.3%	-0.8%
$\sigma$	2.29	-24.5%	-33.6%	-29.7%
Range	16.39	-20.8%	-31.8%	-22.8%

567 Table 5. Platform surge statistics for the FF configuration and the deviations for each of the  
568 controller schemes.

	FF (°)	$\Delta$ CS25 (%)	$\Delta$ CS100 (%)	$\Delta$ VS (%)
Mean	-2.31	0.0%	5.6%	-5.2%
$\sigma$	1.52	-11.8%	-13.8%	-28.3%
Range	11.13	-8.4%	-6.6%	-27.1%

569 Table 6. Platform pitch statistics for the FF configuration and the deviations for each of the  
570 controller schemes.

571

	FF (m/s <sup>2</sup> )	$\Delta$ CS25 (%)	$\Delta$ CS100 (%)	$\Delta$ VS (%)
Mean	0.42	7.1%	7.1%	2.4%
$\sigma$	0.52	-3.8%	-3.8%	-7.7%
Range	4.65	-2.6%	-5.6%	-3.4%

572 Table 7. Nacelle surge acceleration statistics for the FF configuration and the deviations for each  
573 of the controller schemes.

574

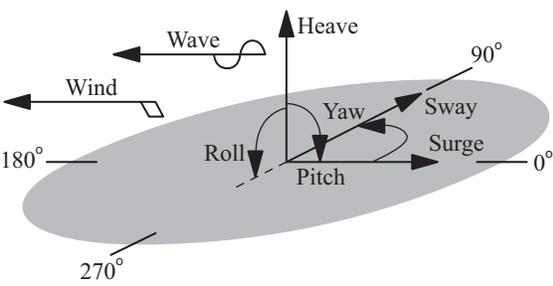
	FF (kN)	$\Delta$ CS25 (%)	$\Delta$ CS100 (%)	$\Delta$ VS (%)
Mean	1527.31	0.6%	0.5%	-0.8%
$\sigma$	294.57	-8.4%	-13.0%	-12.4%
Range	3557.49	-8.7%	-10.5%	-11.6%

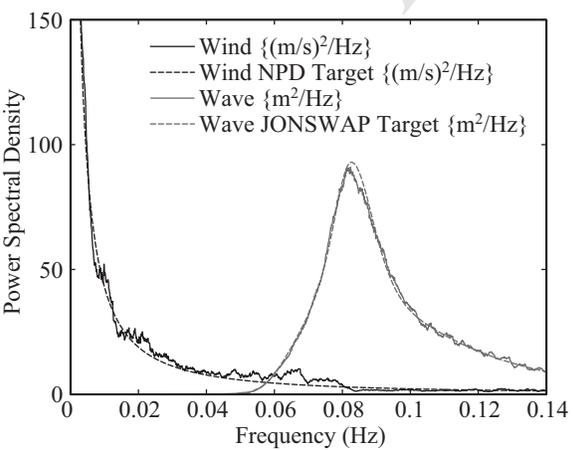
575 Table 8. Upwind fairlead tension statistics for the FF configuration and the deviations for each  
576 of the controller schemes.

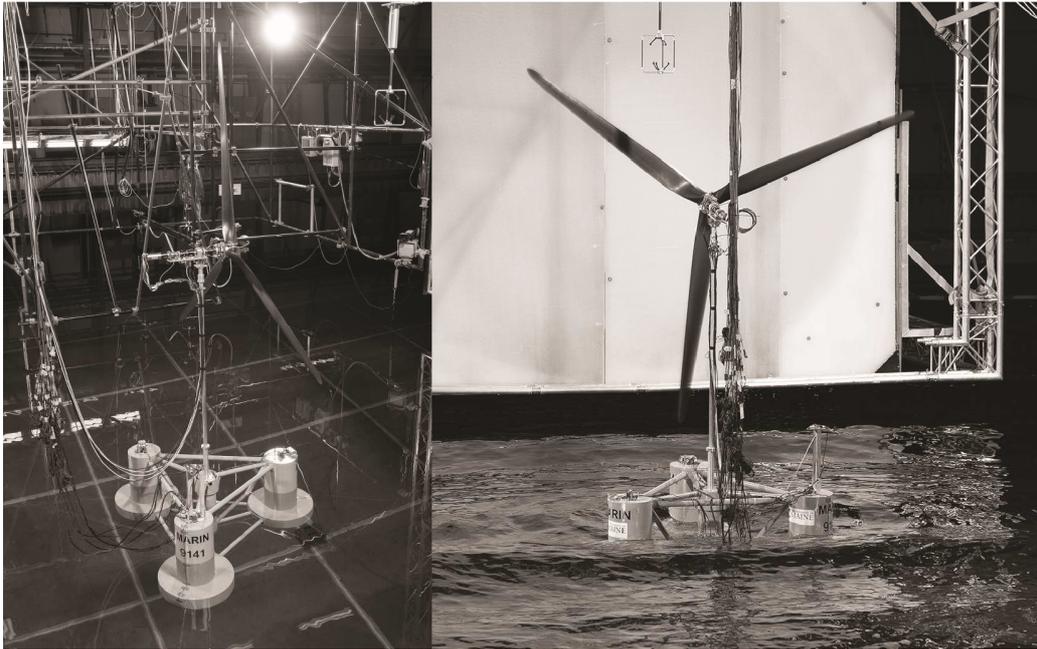
577 **Figure Captions**

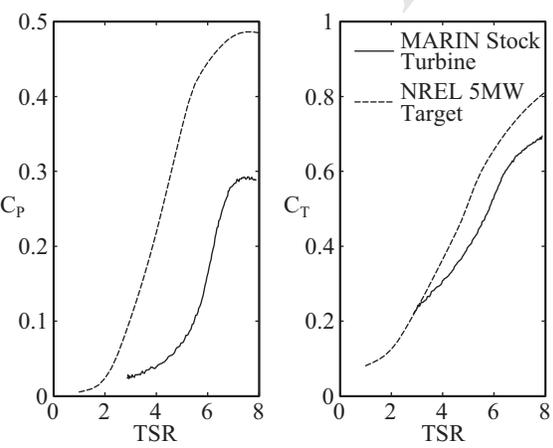
- 578 Fig. 1. DOF and heading of winds and waves for model test.
- 579 Fig. 2. Target and measured PSDs for the dynamic wind and the irregular sea state.
- 580 Fig. 3. Images of DeepCwind-OC5 floating wind turbine in MARIN's offshore basin.
- 581 Fig. 4. Comparison of normalized full-scale target and model wind turbine performance.
- 582 Fig. 5. Corrected platform pitch free-decay times series for different wind turbine control  
583 scenarios.
- 584 Fig. 6. Platform pitch free-decay damping response for different wind turbine control scenarios.
- 585 Fig. 7. a) FF configuration platform surge response and b) the deviation from this response for  
586 each of the controller schemes.
- 587 Fig. 8. a) FF configuration platform surge phase shift and b) the deviation from this phase shift  
588 for each of the controller schemes.
- 589 Fig. 9. a) FF configuration platform pitch response and b) the deviation from this response for  
590 each of the controller schemes.
- 591 Fig. 10. a) FF configuration platform pitch phase shift and b) the deviation from this phase shift  
592 for each of the controller schemes.
- 593 Fig. 11. a) FF configuration nacelle surge acceleration response and b) the deviation from this  
594 response for each of the controller schemes.
- 595 Fig. 12. a) FF configuration nacelle surge acceleration phase shift and b) the deviation from this  
596 phase shift for each of the controller schemes.
- 597 Fig. 13. a) FF configuration upwind fairlead tension response and b) the deviation from this  
598 response for each of the controller schemes.
- 599 Fig. 14. a) FF configuration upwind fairlead tension phase shift and b) the deviation from this  
600 phase shift for each of the controller schemes.
- 601 Fig. 15. Turbine controller blade pitch angle response.
- 602 Fig. 16. Turbine controller generator torque response.
- 603 Fig. 17. Turbine controller rotor speed response.
- 604 Fig. 18. Turbine controller aerodynamic rotor thrust response.

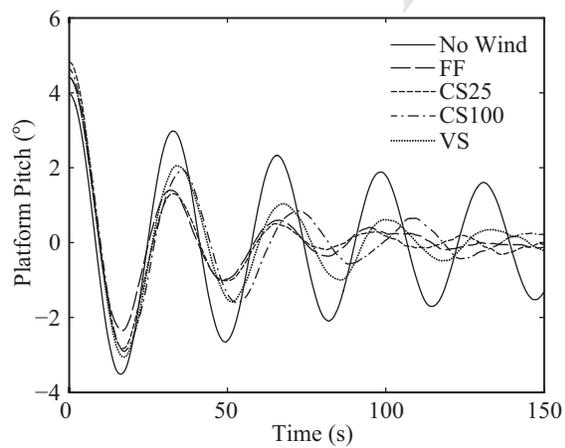
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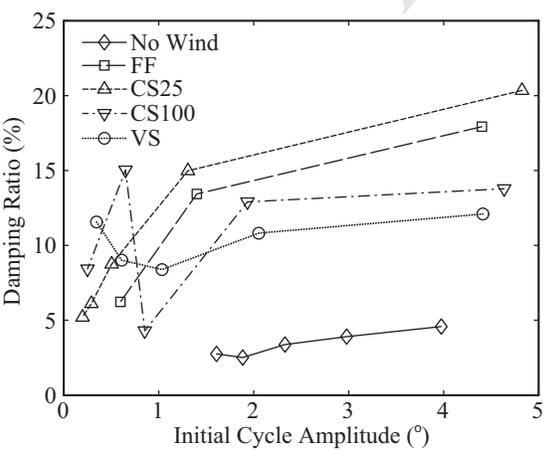


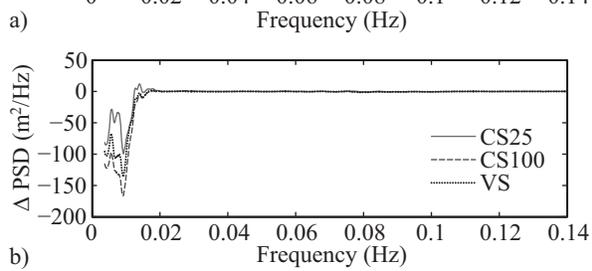
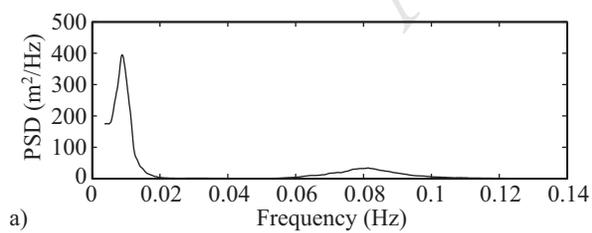


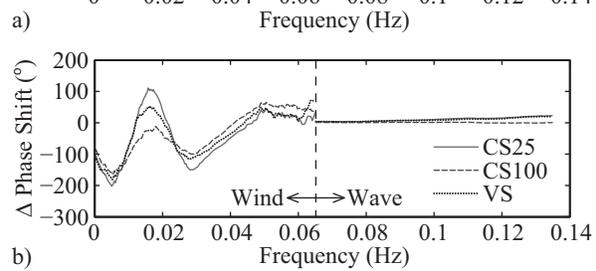
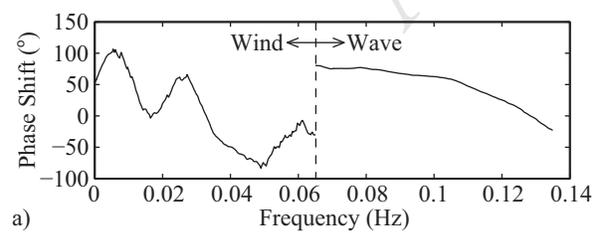


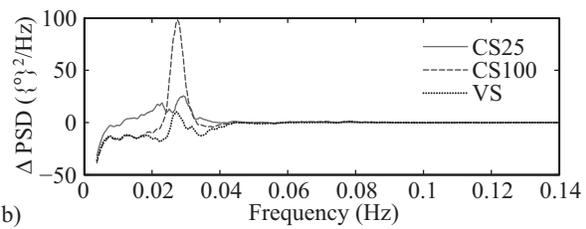
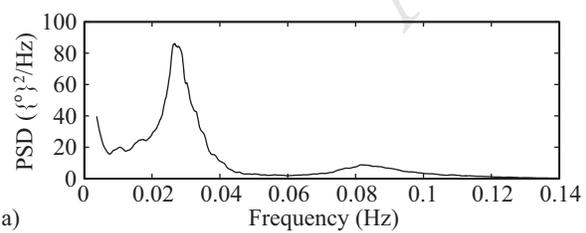


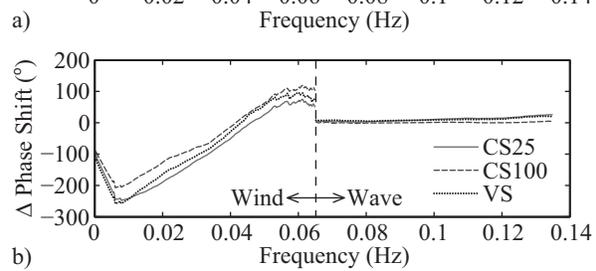
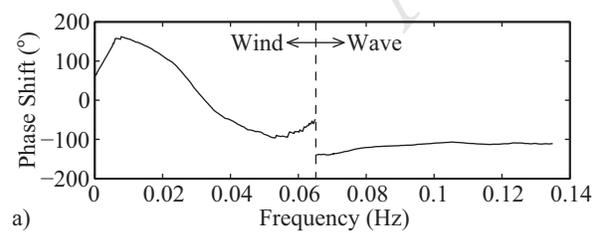


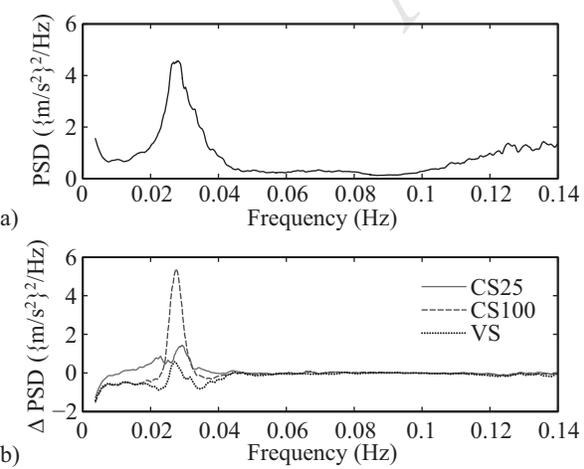


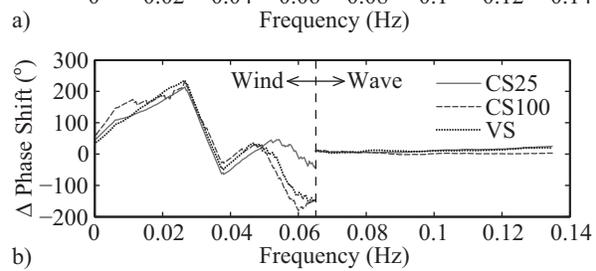
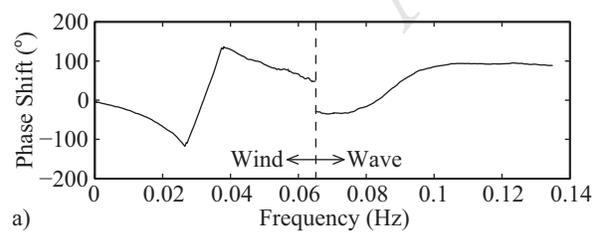


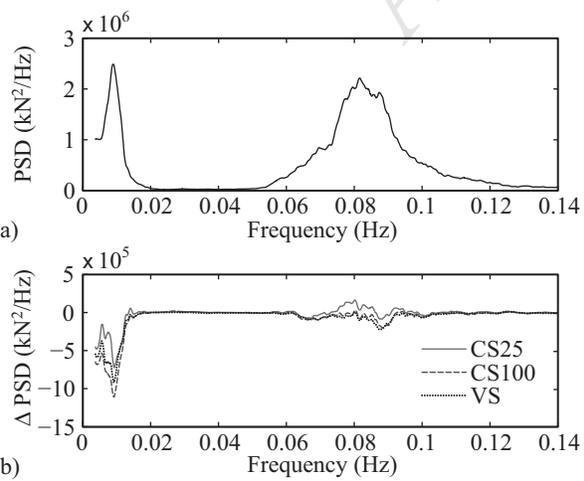


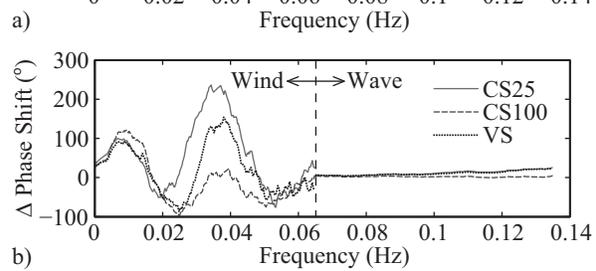
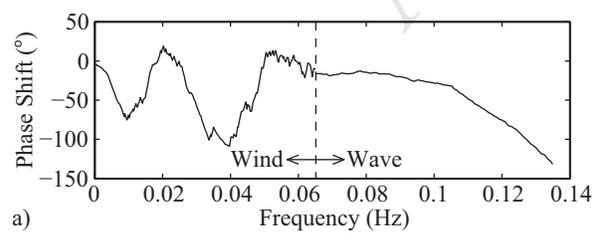




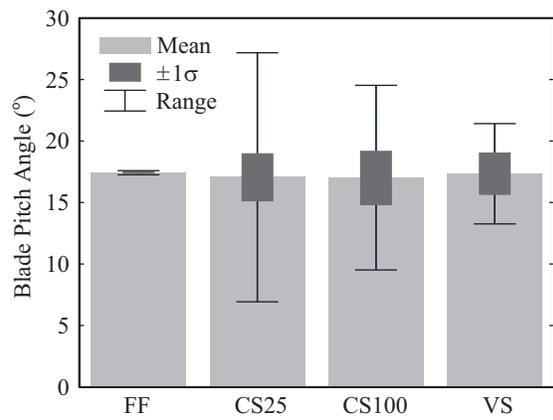


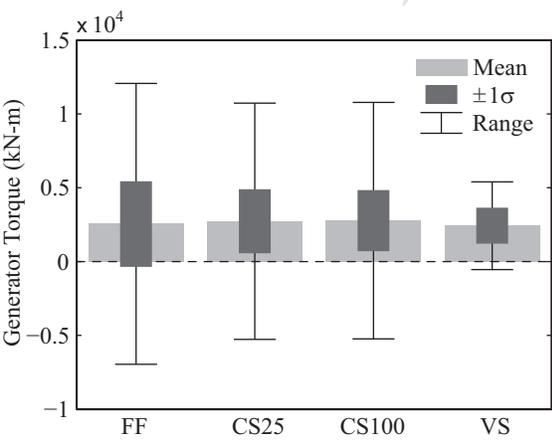


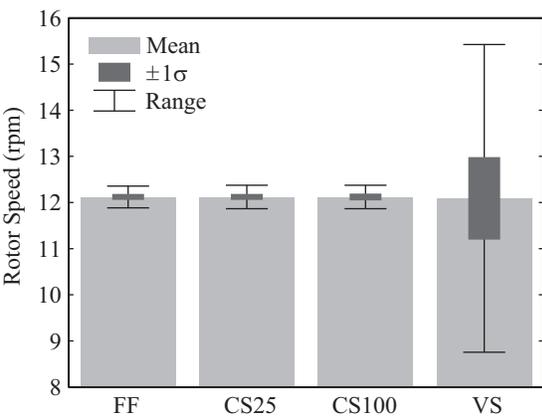


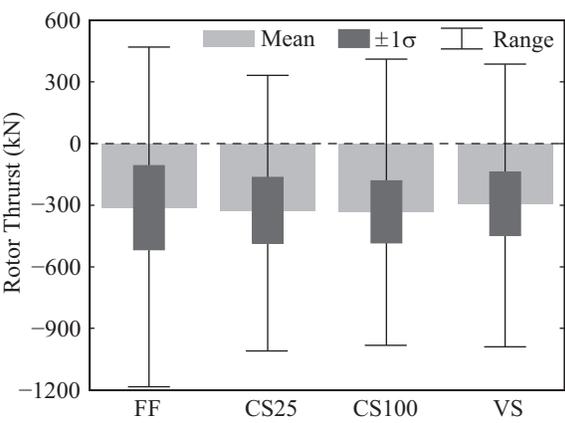


ACCEPTED MANUSCRIPT









Highlights for “Experimental observations of active blade pitch and generator control influence on floating wind turbine response” submitted by A.J. Goupee, R.W. Kimball and H.J. Dagher to *Renewable Energy*

1. Wind/wave basin model tests are used to experimentally assess the influence of active turbine blade pitch and turbine controls on floating wind turbine motions and structural loads
2. Mathematical explanations are provided for the experimentally observed controller-induced increases in the platform pitch damped natural period calculated from platform pitch free-decay tests
3. Analysis from combined dynamic wind and irregular sea conditions show that turbine controllers significantly alter the frequency domain load and motion response in both amplitude and phase relative to the low-frequency wind excitation
4. Active turbine controllers do not significantly alter floating wind turbine response in the wave energy frequency range
5. Improvements in floating wind turbine dynamic response often come at the expense of increased blade pitch motion or increased variations in rotor speed