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# Optimizing the A\* search algorithm for mobile robotic devices

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**Abstract.** The purposes of this article are to analyze the pathfinding algorithms used to search and calculate the trajectory of movement of mobile autonomous robotic devices and to search for optimization methods in order to reduce the load on computing and memory units of the mobile devices. This paper analyzes the basic pathfinding algorithms including breadth-first search, depth-first search, Dijkstra's algorithm, greedy best-first search, and the A\* algorithm, considers principles of their work, and proposes optimization methods. This work results in a new approach for using the A\* algorithm for solving problems associated with pathfinding in real dynamic environments. The proposed approach speeds up the process of path calculation and the choice of the movement direction and reduces the requirements for computing power of autonomous mobile devices.

## 1. Introduction

The A\* search algorithm is widely used in games and for planning routes of mobile robots [1]. This is a highly efficient heuristic algorithm for searching an acceptable and shortest path. It allows finding the least-cost path between the starting and ending points. The A\* algorithm is considered one of the most acceptable algorithms because it combines the advantages of several search algorithms including breadth-first search and depth-first search algorithms and is already an optimized version of Dijkstra's algorithm. However, there is still a serious problem for small autonomous mobile devices because in some cases, the existing A\* search algorithm may require significant computational power, which may adversely affect the speed of making decision about the direction and trajectory of motion [2]. In addition, in its pure form, the A\* algorithm does not allow taking into account conditions that may arise in real environments such as dynamic objects or the final goal with an unpredictable motion path. In this paper, we consider methods and approaches that allow optimizing the A\* algorithm, reducing the performance costs of computational units, and rebuilding the system to control dynamic changes and goals with an unpredictable motion trajectory.

## 2. Materials and methods

The pathfinding problem is well studied and the pathfinding algorithms are widely used in designing computer games and planning routes including auxiliary navigation systems. The simplest algorithm for solving the shortest path problem is the breadth-first search algorithm. It performs a sequential search of all possible paths evenly in all directions. Implementation of this algorithm considers neither the 'weight' of each segment nor the cost of calculating the shortest path.

The depth-first search algorithm is more advanced for our purposes. As the main direction of the recursive search, the depth-first search algorithm selects the direction of the target. The depth-first search algorithm searches all routes outgoing from the point under examination. If the route leads to a point that has not been considered earlier, the algorithm starts from this unexamined point, and then returns

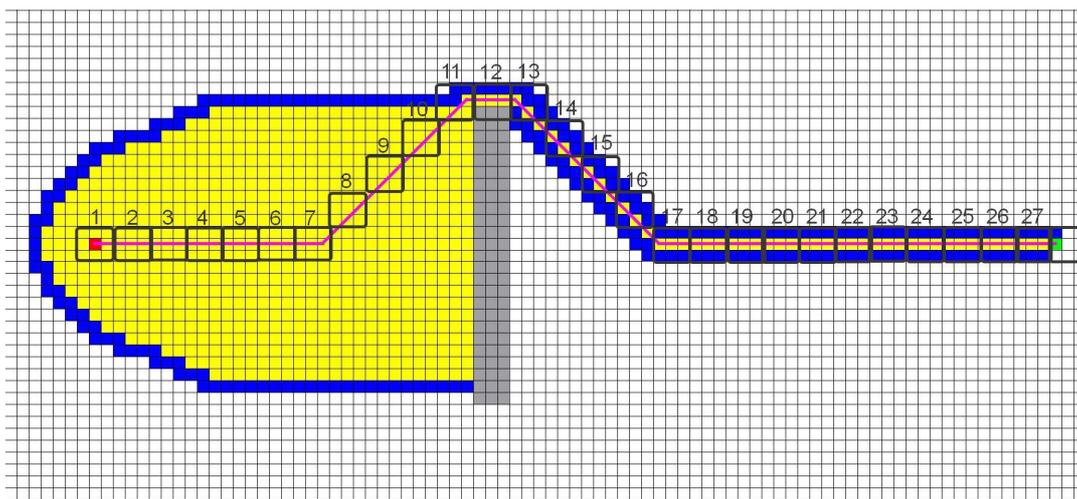




In dynamic and natural environments, it is required to make continuous calculations and adjustments to the route of movement in order to bypass unexpected obstacles, moving objects and targets. For example, to intercept a target moving fast along a complex unpredictable trajectory, it is required to recalculate the trajectory and correct the route faster than the target leaves the conditional point of its current location (when the size of the graph points of the A\* algorithm is equal to the dimensions of the robot). Resolution of such problems in the usual way is not possible. However, as a rule, in real environments, the obstacles are more fragmented, and the interaction objects such as buildings, cars, or people are much larger than autonomous mobile devices, robots, and drones. Therefore, the distance between them can be significant and the dimensions of the passages between obstacles are many times greater than the dimensions of a mobile autonomous robotic device. This fact allows us to reduce significantly the number of required operations and the amount of RAM used to calculate and store the optimal route if in order to find the path, we use nested cycles with geometrically proportional graph nodes [6, 7].

**4. Features of A\* algorithm optimization**

For the above-mentioned example of finding a path using the A\* algorithm, we use nested cycles with geometrically proportional graph nodes (Figure 2).



**Figure 2.** Simplified A\*.

Figure 2 shows that in order to build a complete route, we need to perform 27 simplified pathfinding operations, using the A\* algorithm and another 27 operations to search for a route until each next block of calculations. Table 1 shows these calculations.

**Table 1.** Calculating a path.

| Step | Points checked |                  |               | Step | Points checked |                  |               |
|------|----------------|------------------|---------------|------|----------------|------------------|---------------|
|      | Main block     | Additional block | Full solution |      | Main block     | Additional block | Full solution |
| 1    | 109            | 4                | 760           | 15   | 14             | 4                | 39            |
| 2    | 102            | 4                | 690           | 16   | 13             | 4                | 36            |
| 3    | 94             | 4                | 621           | 17   | 12             | 4                | 33            |
| 4    | 85             | 4                | 553           | 18   | 11             | 4                | 30            |
| 5    | 75             | 4                | 483           | 19   | 10             | 4                | 27            |
| 6    | 67             | 4                | 415           | 20   | 9              | 4                | 24            |
| 7    | 55             | 4                | 345           | 21   | 8              | 4                | 21            |
| 8    | 43             | 4                | 250           | 22   | 7              | 4                | 18            |
| 9    | 32             | 4                | 167           | 23   | 6              | 4                | 15            |
| 10   | 23             | 4                | 95            | 24   | 5              | 4                | 12            |

|       |     |    |            |    |     |    |             |
|-------|-----|----|------------|----|-----|----|-------------|
| 11    | 18  | 4  | 52         | 25 | 4   | 4  | 9           |
| 12    | 17  | 4  | 48         | 26 | 3   | 4  | 6           |
| 13    | 16  | 4  | 45         | 27 | 3   | 4  | 3           |
| 14    | 15  | 4  | 42         |    |     |    |             |
| Total | 751 | 56 | 4566       |    | 105 | 52 | 273         |
|       |     |    | <b>964</b> |    |     |    | <b>4839</b> |

Table 1 shows that the simplified A\* algorithm (example shown in Figure 2) in case of the need to clarify the route periodically, needs to analyze only 964 points of the graph, and the maximum amount of required memory cells is 109. At the same time, using the A\* algorithm (when clarifying the route at the same points and at the same intervals), it was required to analyze 4839 points of the graph and to use 760 memory cells to store data. For this case, the increase in performance using our approach to build a route was  $4839/964 = 5.02$  times, and the memory usage decreased by  $760/109 = 6.97$  times. Moreover, the efficiency will multiply increase in case of an increase in the distance to the final object, the frequency of route clarification and the degree of nesting of the algorithm. This will significantly reduce the requirements for the computing power of autonomous robotic devices.

Implementation of this approach requires substantial development and complication of the heuristic function of the algorithm, which may adversely affect performance, but the overall effectiveness of the solution will remain.

## 5. Conclusion

In this work, we were able to develop a fundamentally new approach to using the A\* algorithm for solving the pathfinding problem in conditions of the need to continually adjust the route or track a moving target. This approach significantly reduces the computing power requirements of mobile robots and drones and allows scaling solutions immediately depending on the required accuracy of routing or the requirements for the speed of response to environmental changes.

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