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*On  $(4, 1)^*$ -choosability of toroidal graphs without chordal 7-cycles and adjacent 4-cycles*

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**Abstract:** A graph  $G$  is called  $(k, d)^*$ -choosable if for every list assignment  $L$  satisfying  $|L(v)| = k$  for all  $v \in V(G)$ , there is an  $L$ -coloring of  $G$  such that each vertex of  $G$  has at most  $d$  neighbors colored with the same color as itself. In this paper, it is proved that every toroidal graph without chordal 7-cycles and adjacent 4-cycles is  $(4, 1)^*$ -choosable.

**Keywords:** toroidal graph; defective choosability; chord

**AMS Subject Classification:** 05C15, 05C78

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