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Electromagnetic Effects in SDF Explosions

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Electro-Magnetic Effects in SDF Explosion Fields

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10 Electro-Magnetic Effects Due to the Detonation of SDF Charges

The notion of high ion and electron concentrations in the detonation of aluminized explosive mixtures has aroused some interest in electro-magnetic effects that the SDF charges might generate when detonated. Beside the scientific aspects at least two questions appear to be of practical interest:

- Does the detonation of an SDF charge create electro-magnetic disturbances strong enough to affect the operation of electrical infrastructure in for example a tunnel system?
- Does the detonation of an SDF charge in a tunnel system create an electro-magnetic signature that relays information of the charge performance to the outside environment?

Motivated by this interest we have started to investigate whether significant electro-magnetic effects show up in our small-scale experiments. However, the design of instrumentation for this purpose is far from straightforward, since there are a number of open questions:

- If electro-magnetic effects go along with the detonation of SDF charges, what is the nature of the perturbances? What is their magnitude or – in practical terms – what is the sensitivity of a diagnostic tool needed to detect them? What is the frequency range of the perturbances, a question that relates to the bandwidth of the diagnostic tool?
- How do our small-scale set-ups affect electro-magnetic effects? For example, the small-scale models are usually closed chambers, vessels or tunnels manufactured from steel and thus conductive. To the outside they act as a Faraday cage to electro-magnetic waves inside they act as a resonator or wave-guide. A mismatch between the possible electro-magnetic eigenmodes of the models and the preferred frequency range of the disturbances will result in strong damping of the effects.
- Is it possible to differ between electro-magnetic effects from the detonating charge and electro-magnetic effects that are generated by the ignition system for our small-scale charges? This ignition system is based on a pulsed high voltage discharge and creates its own electro-magnetic signature for the initial 10 to 20 μs after ignition.

Thus the main aim of the feasibility tests is to find – if possible – a simple and reliable method that can be used as a diagnostic tool for electro-magnetic effects.

10.1 Test Set-Up and Investigated Diagnostic Methods

Most of the feasibility tests were done in the steel model of a 3 m long tunnel section of 8 cm x 8 cm cross-section. This set-up is shown in Figure 10-1. PETN or SDF charges were detonated 214 mm from the closed tunnel front.

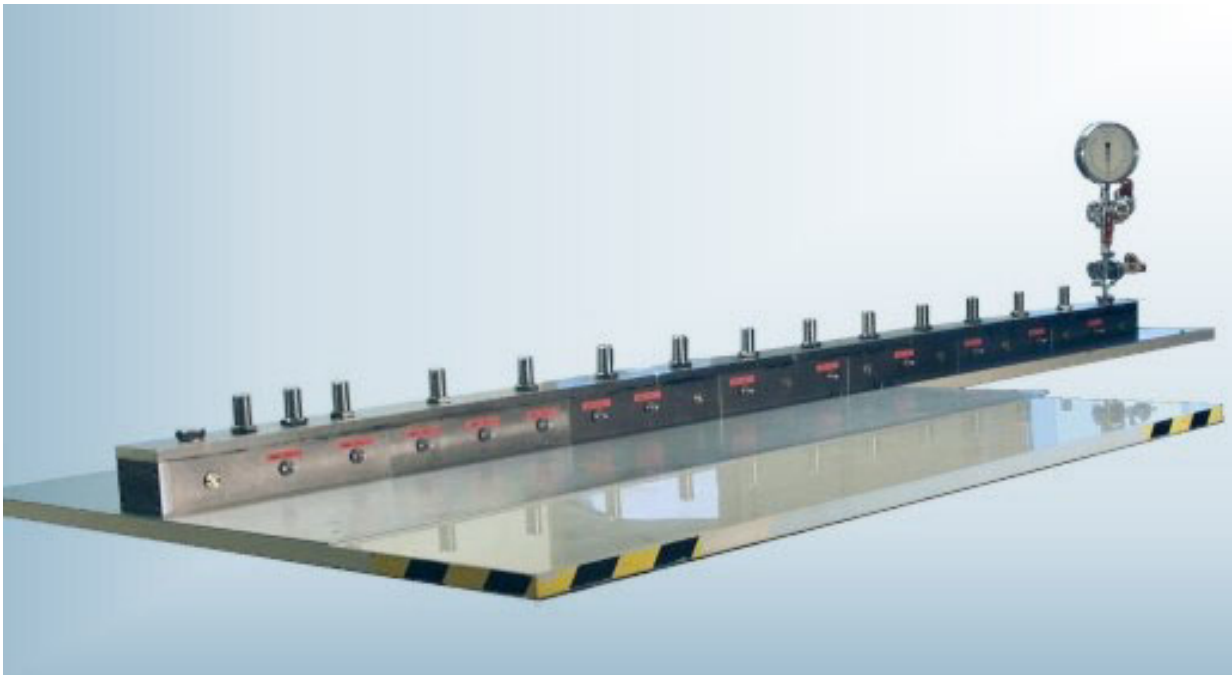


Figure 10-1 Photograph of the tunnel model. The charges are mounted near to the closed tunnel entrance (left end of the tunnel). The side-wall shows a number of boreholes where piezo-electric gages or the conductivity probe can be installed. The chimney-like elements on the roof can hold photo-diodes.

A number of different possibilities to diagnose electro-magnetic effects were tested in this environment. These included:

- Measurement of the current from the steel model to the ground
- Voltage induced in an antenna-like pick-up
- Voltage induced in single cables, cable pairs and cable loops spanned along the tunnel axis slightly above the tunnel floor
- Voltage induced in a coil around a non-conductive tunnel segment close to the charge location

Most of the test methods showed signals that originate from the high voltage discharge that is used for charge ignition. The energy on the capacitor used in the ignition system is typically 32 J and thus small to the energy available in the detonation and combustion of the charges. The ignition signals occur during the first 20 to 40 ms after the ignition and are typically damped sine waves of around 125 Hz. Further signals were observed in some tests starting at around 80 to 100 μ s after the detonation. These signals were usually weak compared to the ignition signal in most test methods; their occurrence has a low repeatability and their amplitude strongly varied in those cases where they were observed. Currently none of the above methods meets the requirements for a diagnostic tool; thus we will not discuss individual results here. The investigation will be continued with more sensitive arrangements.

Besides the methods listed above we also investigated a less direct diagnostic tool based on the measurement of the electro-conductivity in the detonation cloud. This proved to yield more reproducible results and will be discussed in more detail below.

10.2 Measurement of the Electro-Conductivity of the Products from SDF Explosions

Two sensor types were designed for probing the electro-conductivity. In both cases the general design principle is that of a capacitor generating an electrical field, which causes a current, once a conductive material fills the gap between the capacitor electrodes.

The first version utilizes two steel adapters that we normally use to install gages into our models. A sketch of the arrangement is shown in Figure 10-2. We embedded a brass cylinder into an isolating cylinder of Teflon, which was inserted into a borehole of the steel bolt, that we use as the adapter. The brass cylinder was connected to the inner lead of a BNC connector, while the shielding of the BNC connector was in metallic contact to the steel bolt, which itself, when installed, is in connection with the steel walls of tunnel model. Two bolts were installed into the tunnel walls just opposite from each other. The two electrodes are connected to a battery with a resistor of about 5 k Ω inserted into the circuit (see Figure 10-3). The signal that is monitored is the voltage drop at the resistor. If the material between the electrodes is non-conductive, there is no current in the circuit and the voltage drop at the resistor is zero. If we short-circuit the two capacitor electrodes, we will have a current I_{MAX} in the circuit that is limited by the resistor and the voltage drop U_2 at the resistor is equal to the battery voltage U_0 .

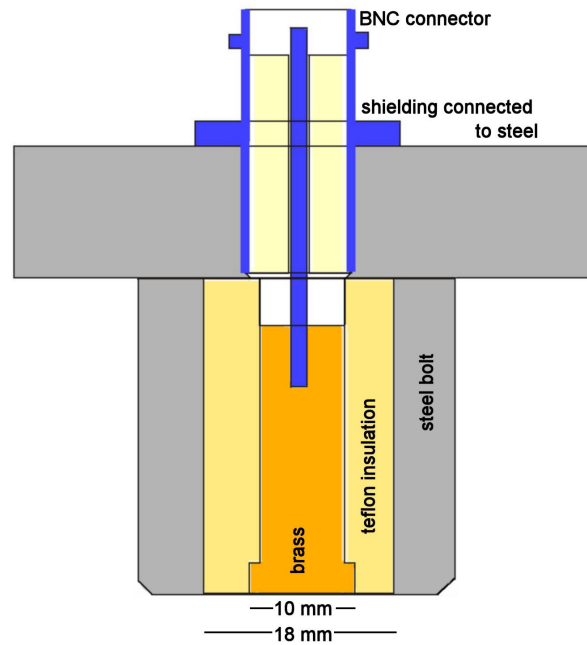


Figure 10-2 Single electrode used for the first version of a conductivity probe. When mounted into the tunnel wall, the electrode surface is flush with inner tunnel wall.

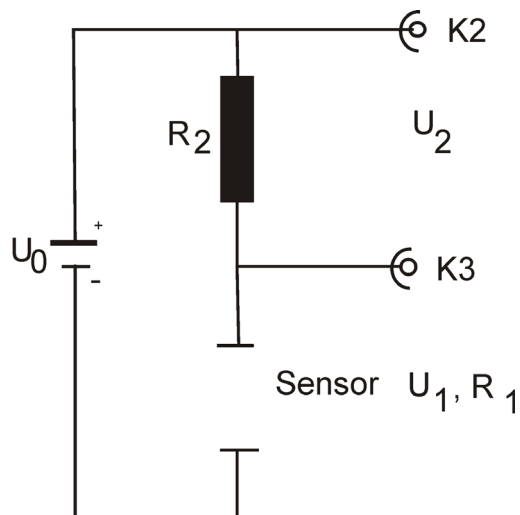


Figure 10-3 Electric circuit formed by the pair of electrodes, a resistor and a battery as voltage supply.

If the electro-conductivity of the material between the electrodes is finite, the current I through the circuit is smaller than I_{MAX} . The voltage drop at the resistor in this case is:

$$U_2 = R_2 I$$

The potential difference between the two electrodes is thus:

$$U_1 = U_0 - U_2$$

If we assume for simplicity that the pair of electrodes forms an ideal capacitor, it generates a homogeneous electrical field of the strength

$$E = U_1 / d$$

where d is the distance between the electrodes. If the material in the electrical field has a conductivity σ , the field gives rise to a current density of

$$j = \sigma E = \sigma (U_0 - U_2) / d$$

The current I has to pass through the surface area S of both electrodes. In the idealized arrangement the current will thus be:

$$I = \sigma (U_0 - U_2) S / d$$

The conductivity can be calculated from the measured voltage U_2 as follows:

$$\sigma = \frac{U_2}{U_0 - U_2} \cdot \frac{1}{R_2} \cdot \frac{d}{S}$$

This is nevertheless only a very crude approximation: our electrodes have a diameter of 10 mm and are set apart 80 mm, so that the concept of a homogeneous field will not hold. In addition they are installed into the walls of a metallic tube and the metal walls will further deform the electrical field. An impression of the deformed field is shown in Figure 10-4, which is from a two-dimensional electro-static FEM calculation. Furthermore, the approach outlined above is essentially an electro-static one and neglects the more complex coupling between unsteady electrical fields and currents.

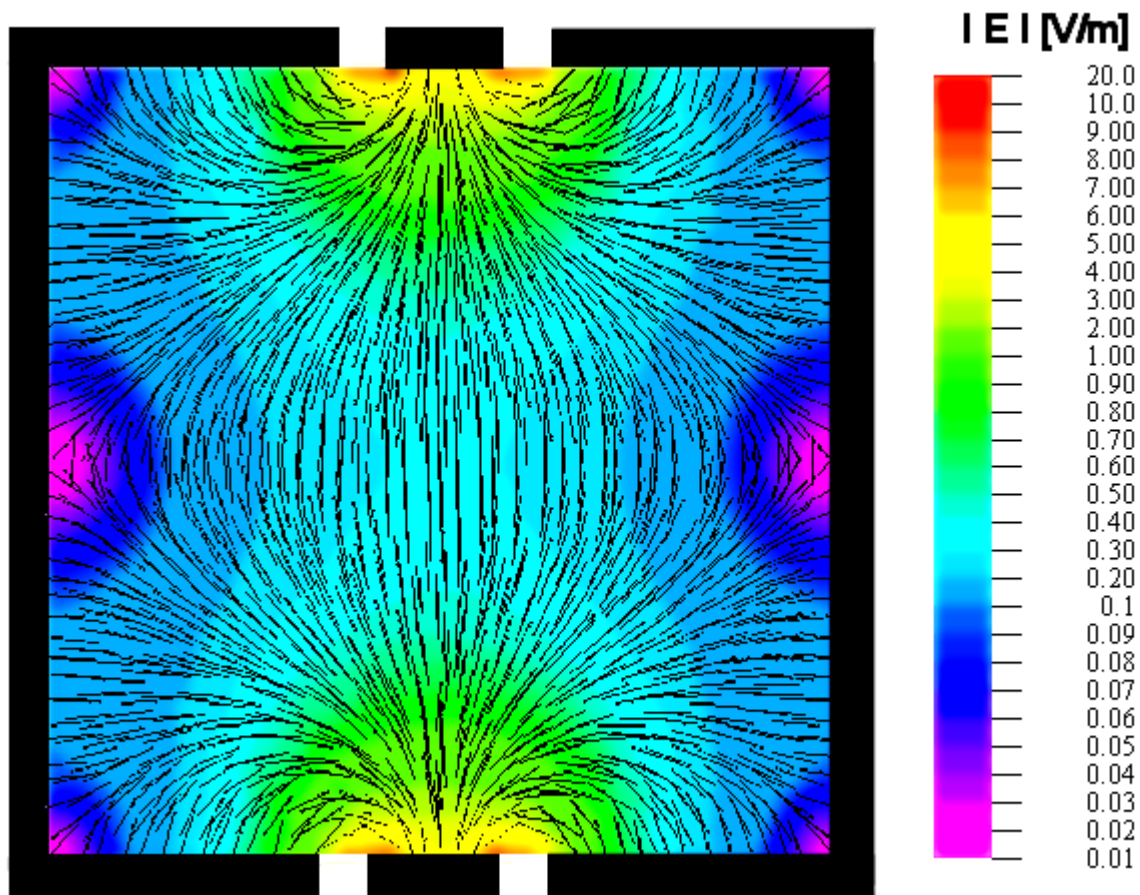


Figure 10-4 Two-dimensional electro-static FEM simulation of the electrical field in the tunnel. Potential of the tunnel walls 0V, potentials of the two electrodes $\pm 5V$.

For a couple of initial tests we installed the conductivity probe at $x = 356.7$ mm, i.e., about 143 mm downstream from the charge location. We started the experiments with bare spherical PETN charges. The results are shown in Figure 10-5. The red curve for a charge of 0.56 g PETN shows a sharp increase of the conductivity at about 0.5 ms. At this instant the primary blast has been reflected at the closed tunnel front and this reflection is arriving or has just arrived at the location of the conductivity sensor. No significant signal is found

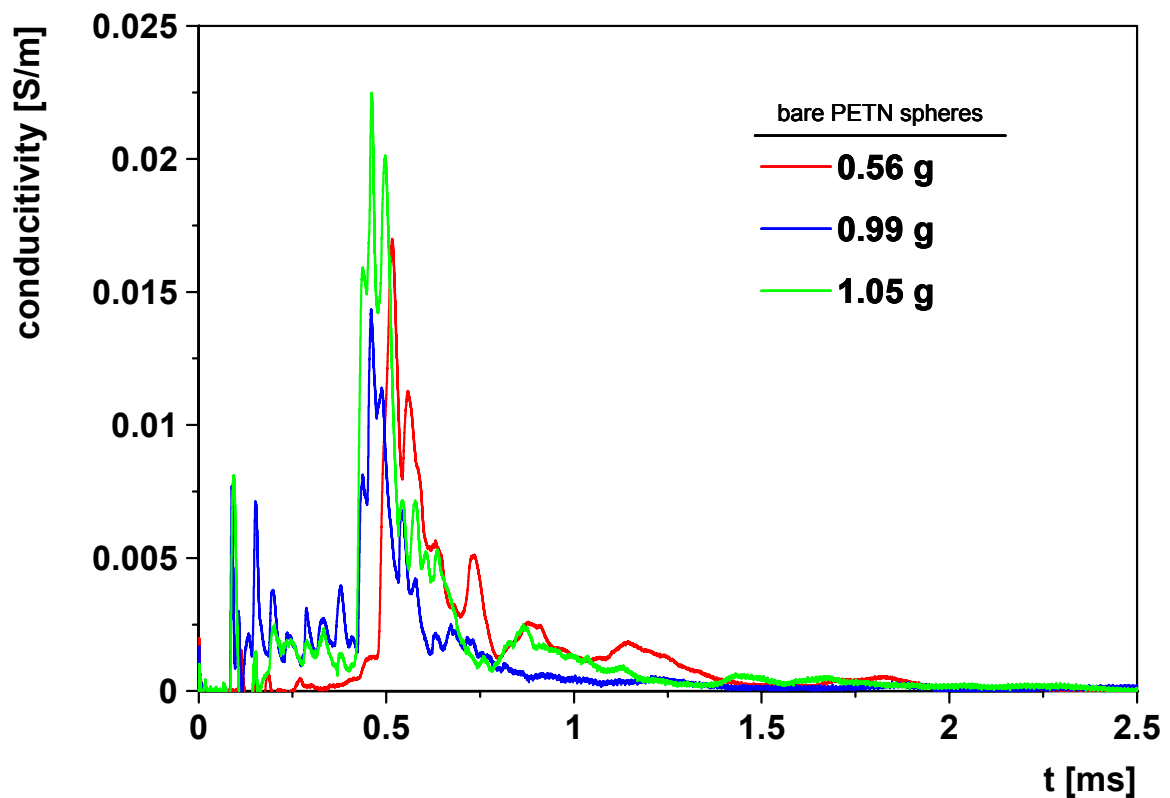


Figure 10-5 Time history of the electro-conductivity at $x= 356.7$ mm in the 3-m tunnel model. Three tests with bare spherical PETN charges of 0.56 g, 0.99 g and 1.05 g. Measured with the wall-mounted sensor.

directly behind the primary shock front, which passes the sensor location at around $120 \mu\text{s}$. For the charges with about 1 g a signal is found behind the passage of the primary blast front, though it is also strongly enhanced upon the arrival of the front reflected at the closed tunnel entrance. In the case of the 1-g charges this front arrives slightly earlier at the sensor location than in the case of the 0.56 –g charge, because the larger charges create a stronger primary wave. The maximum value of the electro-conductivity is around 0.022 S/m.

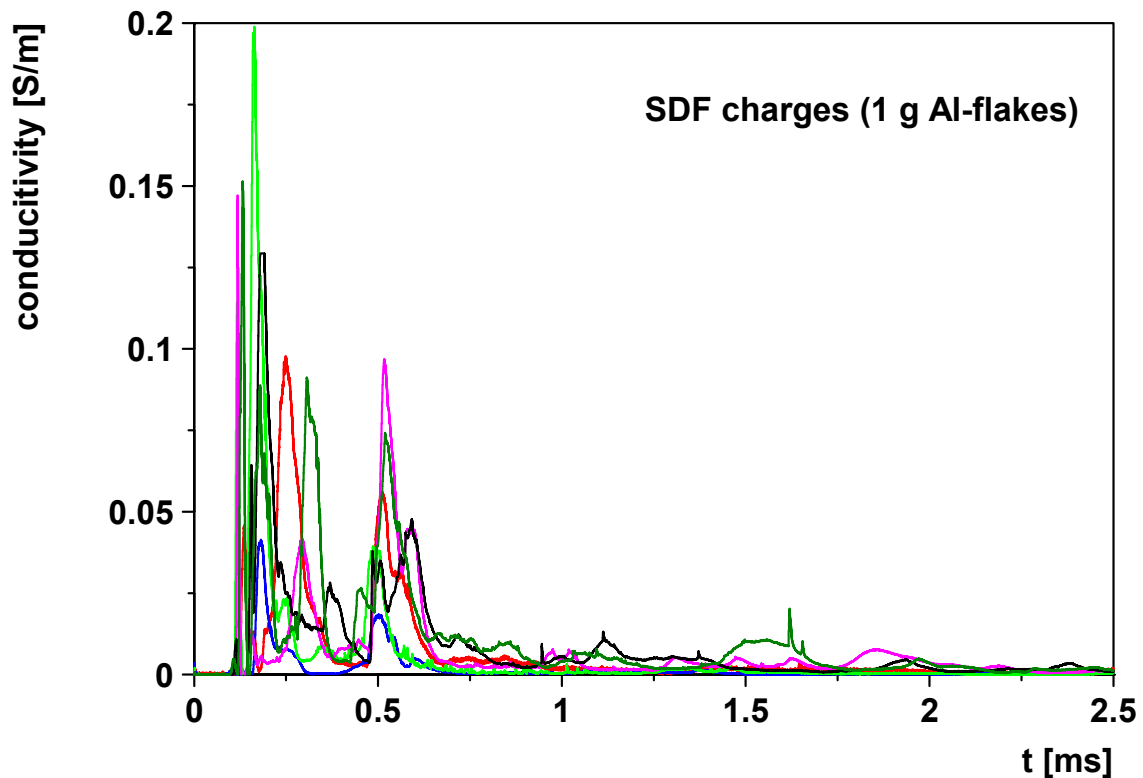


Figure 10-6 Time history of the electro-conductivity at $x = 356.7$ mm in the 3-m tunnel model. Six tests with standard SDF charges containing a PETN booster of 0.5 g and a fill of aluminum flakes of 1 g. Measured with the wall-mounted sensor.

Figure 10-6 shows the results from six tests with SDF(Al-flake) charges (standard design, fill 1 g of aluminum flakes). The peak intensities of the conductivity in these tests occur after the passage of the primary blast front with values ranging between 0.1 and 0.2 S/m. Thus the conductivity is about a factor 5 to 10 larger than in the case of the bare PETN spheres. The reflection from the tunnel entrance re-enhances the conductivity as in the tests with bare charges, but for the SDF charges the peak after the passage of the primary blast wave is the dominant one.

Though essential parameters of the measured records like the timing with respect to the arrival to shock fronts show a fair reproducibility, the scatter of the data appears to be considerable. However, in view of the results we obtained with other techniques we tried the results have to be called encouraging.

The basic reason for the design of this first version of a conductivity probe was to keep the gage non-intrusive to the flow-field. However, the design with electrodes flush-mounted to the wall limits the spatial resolution of the probe. Since the conductivity might be distributed fairly in-homogeneously over the whole tunnel diameter, we decided to design a second probe, which provides a more localized measure, even if this probe is intrusive to the flow-field.

The basic ideas are the same as for the wall-mounted sensor. Two 8 mm wide stripes of copper are installed into an insulating holder. The holder has an 8 mm deep notch, where the copper stripes are separated by a 4-mm wide air gap. Figure 10-7 shows a sketch and a photograph of this probe design. The holder can be oriented to the main flow direction and the distance of the sensing probe tip to the tunnel wall can be adjusted. This design is somewhat closer to the original idea of an ideal capacitor with a more homogeneous electrical field, even though we will still have some stray field outside of the gap between the electrodes (for a rough idea see Figure 10-8).

Figure 10-9 shows the characteristic of the point probe that we used in the experiments under report. The relation between the conductivity σ and the voltage drop U_2 is strongly non-linear, but well suited to diagnose a conductivity range from $0.5 \cdot 10^{-3} \text{ S/m}$ to 0.2 S/m .

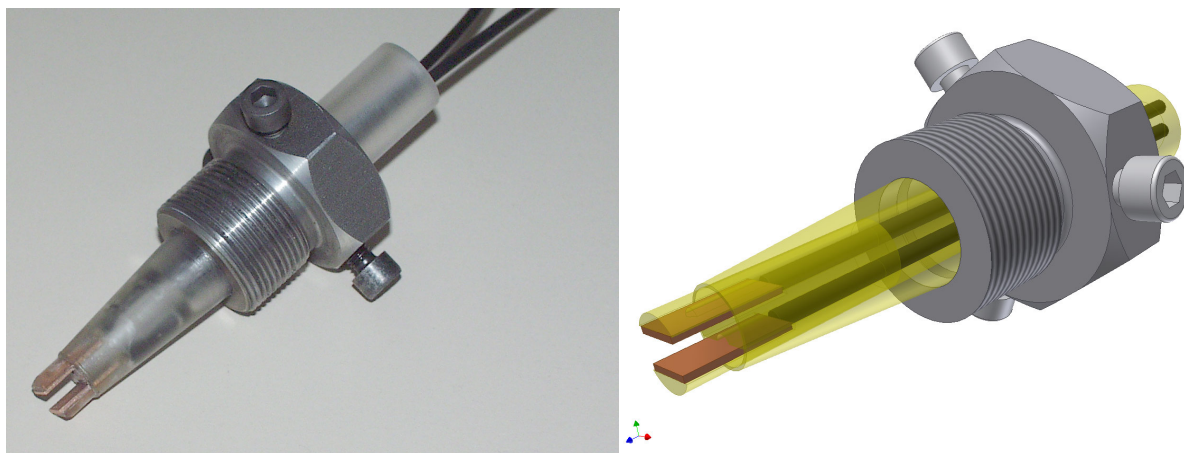


Figure 10-7 Photograph and schematic sketch of the point probe conductivity sensor.

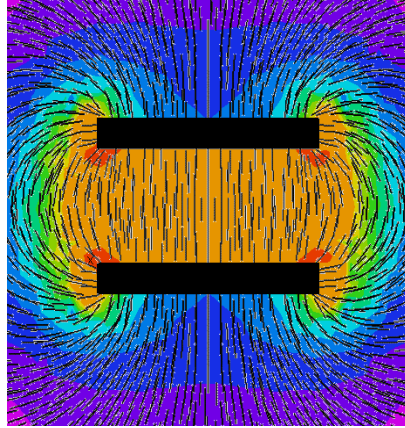


Figure 10-8 Electrical field of a capacitor, for which the distance between the electrodes is about half the width of the electrodes. Two-dimensional electro-static simulation.

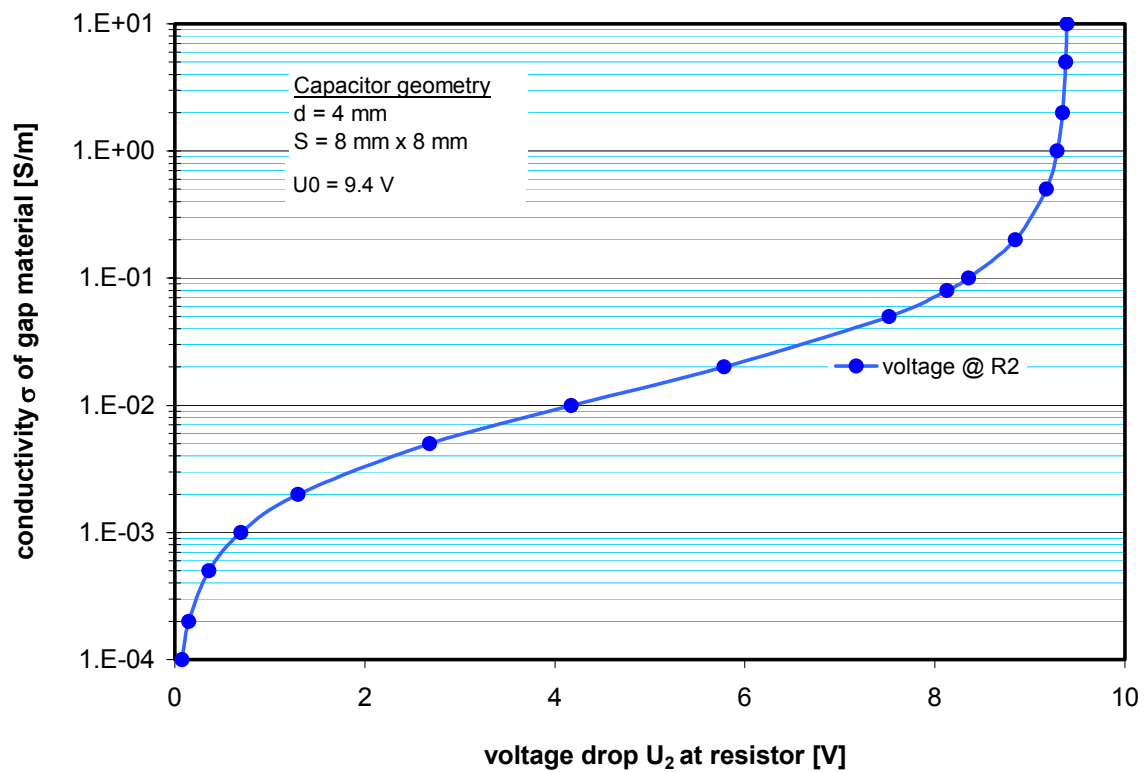


Figure 10-9 Characteristic curve for the conductivity point probe used in the experiments under report, relating the measured voltage U_2 to the conductivity σ . For conductivity values above 1 S/m the voltage drop is essentially equivalent to the supply voltage of 9.4 V.

A series of experiments with the conductivity point probe have been performed in the small-scale model of a closed tunnel section. The cross-section of the model is a square of 8 cm x 8 cm, the length of the closed segment is 300 cm. A photograph of the model is shown in Figure 10-1. In all experiments the charges were located near to one end of the tunnel segment at $x = 214$ mm. The conductivity probe was inserted into the tunnel through boreholes either in the side-wall or the roof. Various tests for different positions of the conductivity probe have been performed. Additional information was gained by the installation of piezo-electric pressure gages and photo-diodes.

We started the test series with a few initial experiments on bare spherical 0.5-g PETN charges. In these tests the sensor was located at $x = 356.7$ mm or about 143 mm down from the charge. Subsequently we performed a more extensive test series on SDF charges of 1 g flake aluminum surrounding the 0.5 g PETN booster. The locations of the various gages are listed in Table 10-1.

Table 10-1 Gage locations for the test series on SDF[1g Al flakes] charges.

Test PLASMA	66-68	70 -72	73-76	77-79	80-82	83 - 85	86-89	90-91	92-93
	[mm]	[mm]	[mm]	[mm]	[mm]	[mm]	[mm]	[mm]	[mm]
Charge	214.0	214.0	214.0	214.0	214.0	214.0	214.0	214.0	214.0
Conductivity	356.7	499.4	642.1	784.8	1022	1236.0	1450.0	1664.0	1878.0
Pressure1	356.7	356.7	499.4	784.8	927.5	1212.9	1355.6	1641	1783.7
Pressure2		642.1	784.8		1070.2	1355.6	1498.3	1783.7	1926.4
Photo1	280.0	380.0	594.0	594.0	808.0	1022.0	1236.0	1450.0	1664.0
Photo2	380.0	594.0	808.0	808.0	1236.0	1450.0	1664.0	1878.0	2097.0

The results for three tests with bare spherical PETN charges are shown in Figure 10-10. The data are not transformed to conductivity values, but given in terms of the voltage drop at the resistor R_2 .

An initial conductive front arrives about 80 μ s after the primary blast wave has passed the probe location. (The black line in Figure 10-10 marks the arrival of the front, which was monitored with a pressure gage installed directly opposite the conductivity probe.) The peak voltage U_2 ranges from 1 to 1.5 V indicating conductivity values in the range of $1.5 \cdot 10^{-3}$ to $2.4 \cdot 10^{-3}$ S/m.

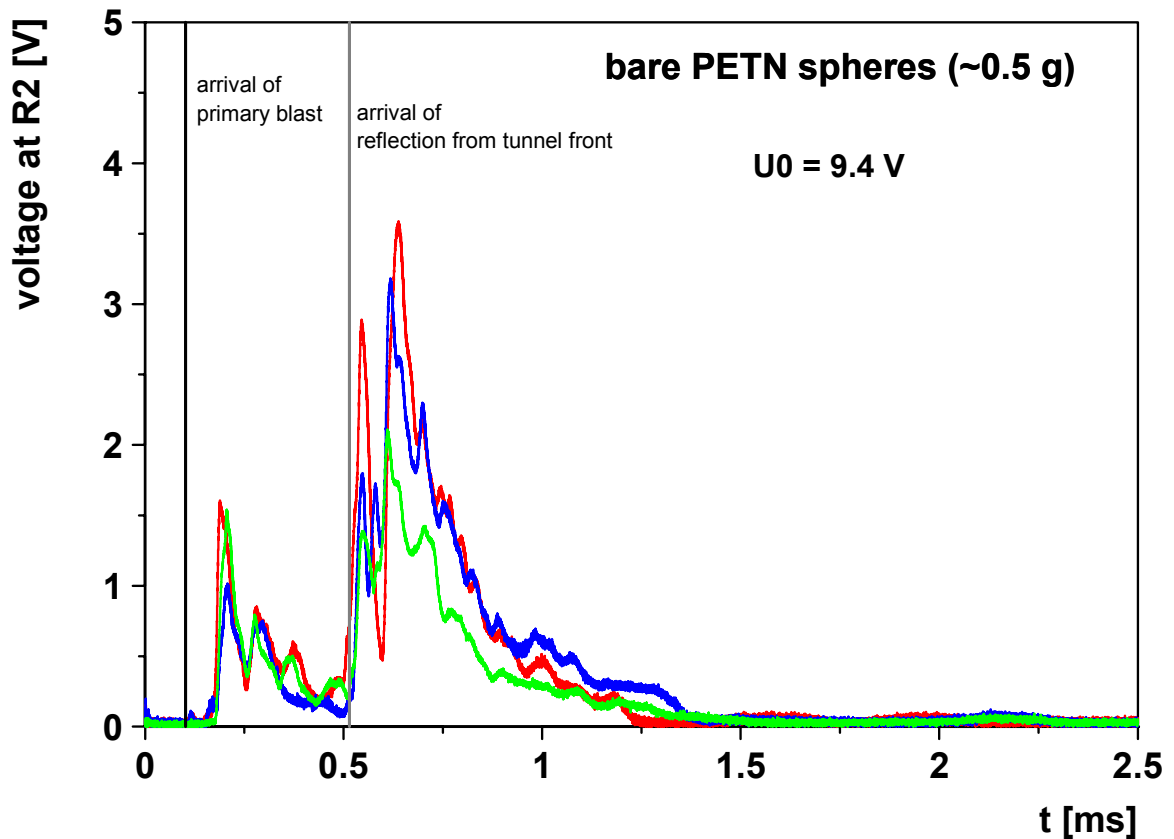


Figure 10-10 Time history of the voltage drop at the 5 k Ω -resistor for three tests with bare spherical PETN charges in the tunnel model. Charge at $x = 214$ mm, point probe conductivity sensor at $x = 356.7$ mm.

Since the charges were located in some distance from the plate that closes the left side of the tunnel, a blast wave also propagates towards this end and is reflected there. The reflected wave reaches the location of the conductivity probe at about 0.5 ms (marked by dark gray line in Figure 10-10). A pronounced increase of the electro-conductivity accompanies its arrival. This enhancement yields peak values of about 3.7 V corresponding to conductivity values of about $8 \cdot 10^{-3}$ S/m.

Figure 10-11 shows corresponding results for three tests with aluminum-filled SDF charges (tests 66-68). The conductivity behind the primary blast front is very strong and the delay between the blast front and the start of the conductivity signal in two cases is significantly shorter than in the case of the bare PETN charges. It ranges from a few microseconds to 40 μ s. The measured

voltages are around 8.8 to 8.9 V. This indicates conductivity values in the order of 0.2 S/m. However, with voltages that close to the nominal voltage U_0 of 9.4 V from the battery supply the slope of the probe characteristic becomes very steep and momentary conductivity values in excess of 0.2 S/m are possible.

Similar to the case of the bare PETN charges the conductivity decreases after the initial peak to be reinforced by the arrival of the blast reflection from the closed tunnel front. However, for bare PETN the conductivity has decreased to approximately zero after 1.5 ms, while the decrease is slower for the aluminum-filled SDF. In the latter case we still find some conductivity after 4 to 5 ms.

As can be seen from Table 10-1, we moved the location of the conductivity probe further down the tunnel. Figure 10-12 shows the result for three tests with the probe located at $x = 748.8$ mm (tests 77 –79), about $7 x/D$ down from the charge. At this location the delay between the primary blast front and the conductive front has increased to about 510 μ s. Nevertheless, the measured peak voltages are still on the order of 8.7 V indicating conductivity values around 0.16 S/m. Though the conductivity decreases quasi-exponentially with time, the arrival of blast wave reflections enhances it repeatedly, as can be seen in Figure 10-13. Due to the non-linearity of the probe characteristic one might overrate the importance of this reinforcement in a plot of the measured voltage: the secondary peak at about 9 ms corresponds to a conductivity of around 0.005 S/m or about 3% of the conductivity observed in the first peak.

Conductivity can be observed even further down the tunnel. The last probe location with measurable conductivity was found at $x = 1664$ mm. The results from two tests are shown in Figure 10-14. With the probe located at 1878 mm no conductivity was observed. At $x = 1664$ mm the initial probe voltage has dropped to about 3 V, the conductivity to values around 0.006 S/m. Nevertheless, the reflection from the far tunnel end again reinforces the conductivity to values of 0.035 S/m (about a factor of 6).

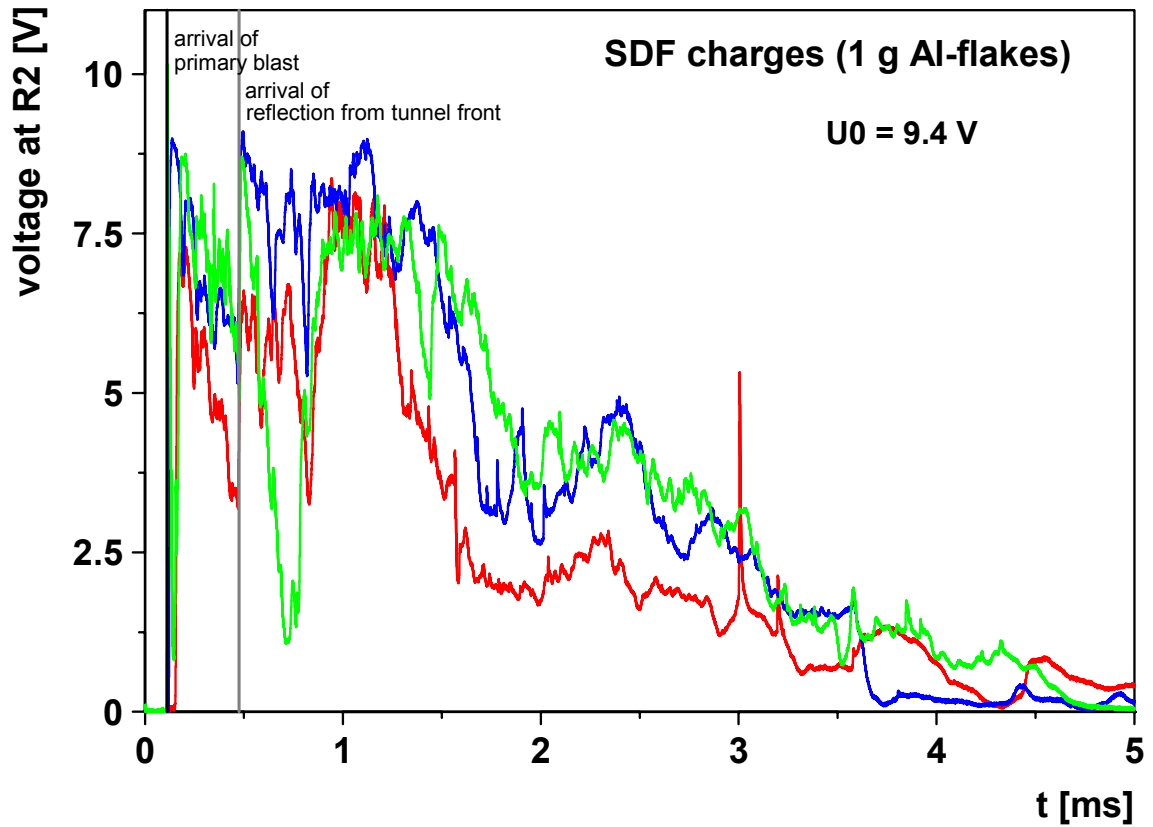


Figure 10-11 Time history of the voltage drop at the 5 k Ω -resistor for three tests with standard SDF charges filled with 1 g Al-flakes in the tunnel model. Charge at x = 214 mm, point probe conductivity sensor at x = 356.7 mm.

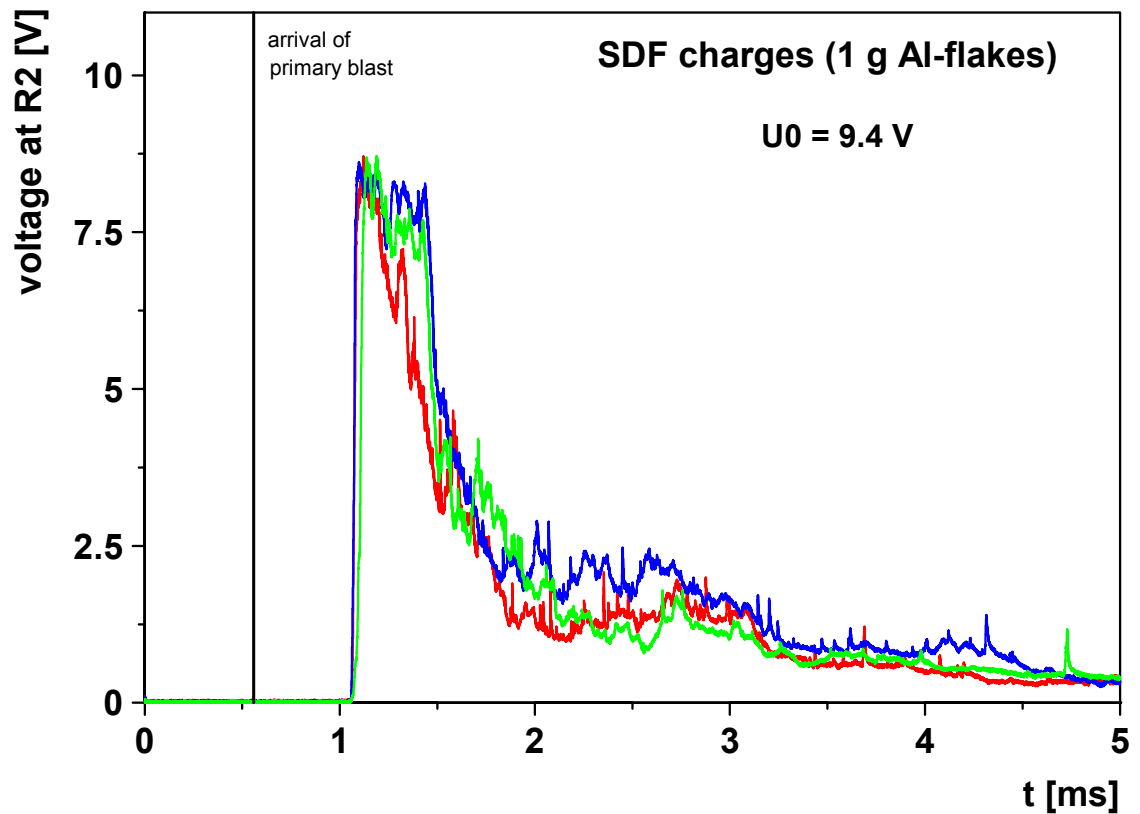


Figure 10-12 Time history of the voltage drop at the $5 \text{ k}\Omega$ -resistor for three tests with standard SDF charges filled with 1 g Al-flakes in the tunnel model. Charge at $x = 214 \text{ mm}$, point probe conductivity sensor at $x = 784.8 \text{ mm}$.

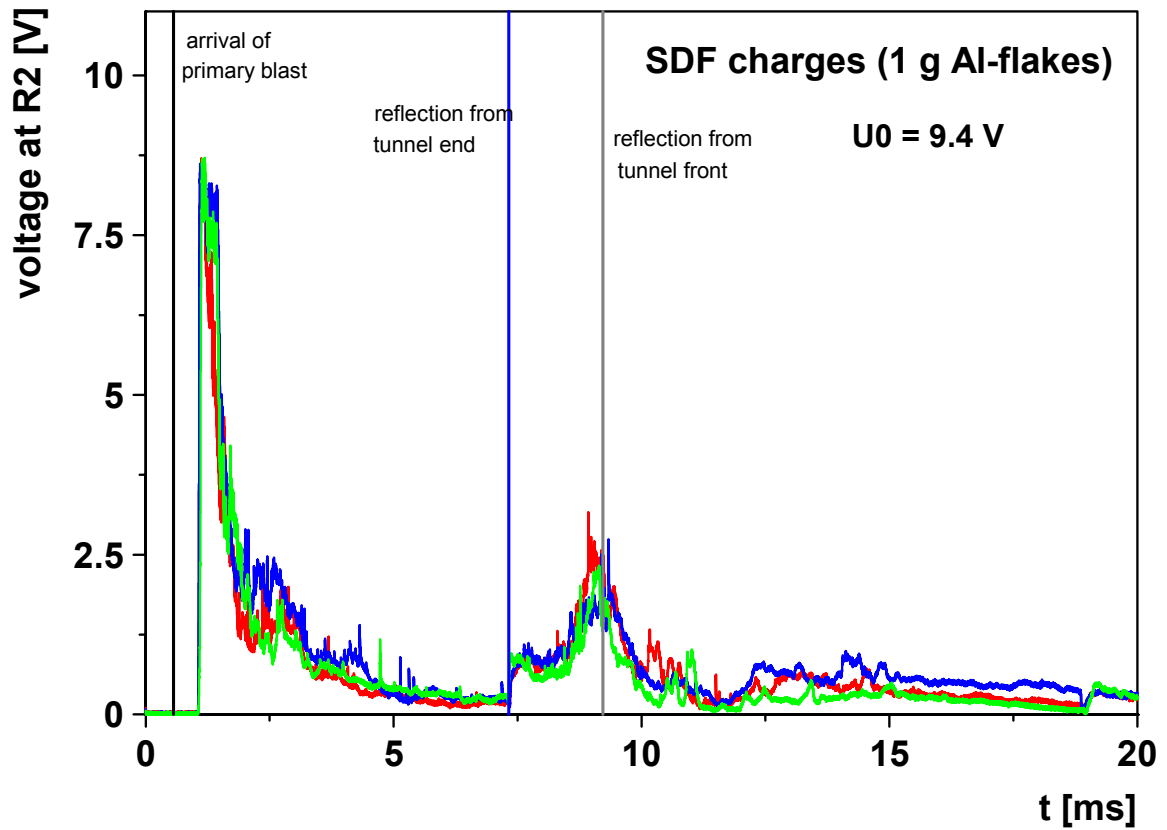


Figure 10-13 Time history of the voltage drop at the 5 kΩ-resistor for three tests with standard SDF charges filled with 1 g Al-flakes in the tunnel model. Charge at x = 214 mm, point probe conductivity sensor at x = 784.8 mm.

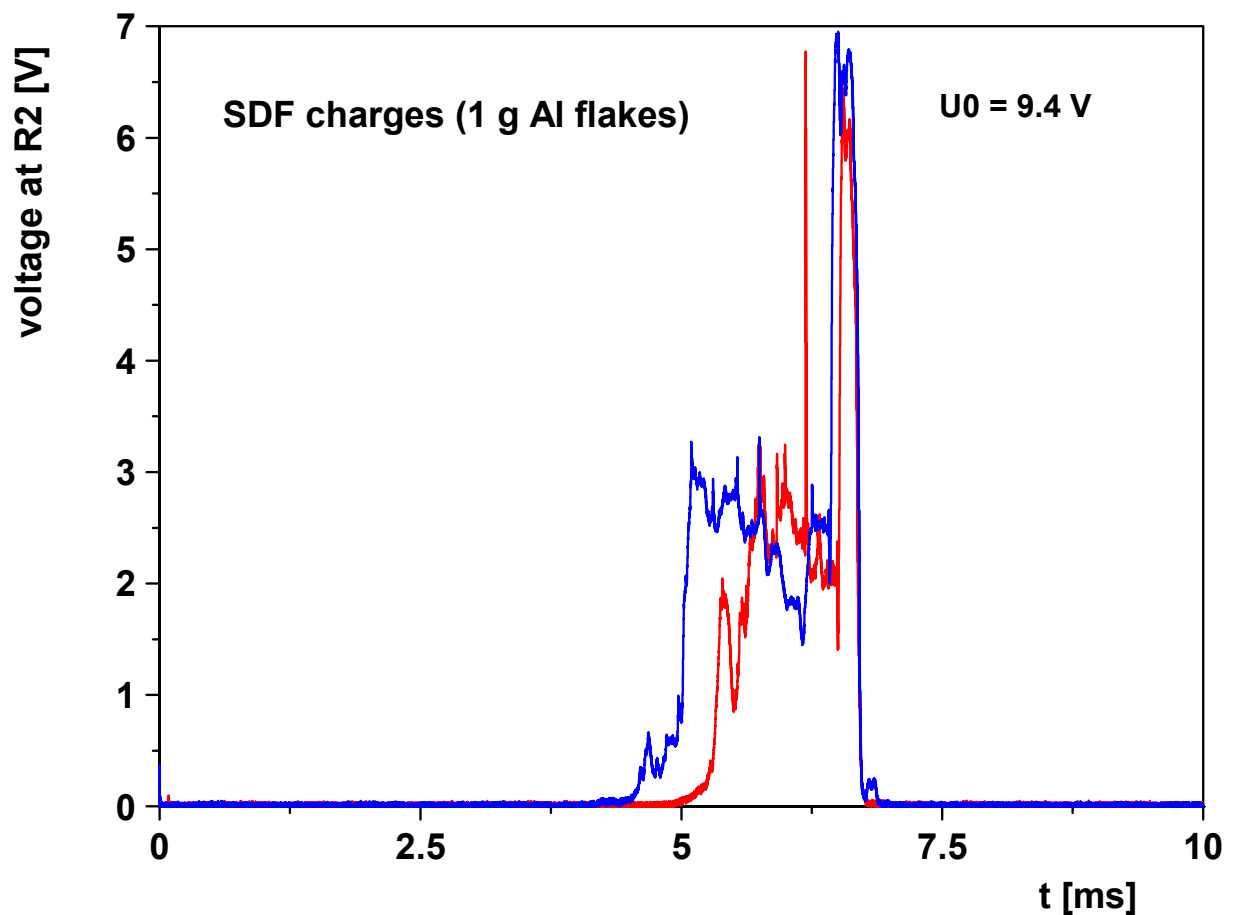


Figure 10-14 Time history of the voltage drop at the 5 k Ω -resistor for two tests with standard SDF charges filled with 1 g Al-flakes in the tunnel model. Charge at $x = 214$ mm, point probe conductivity sensor at $x = 1664$ mm.

The data from the conductivity probe and the pressure gages have been utilized to construct a wave diagram for the conductive region evolving from the detonation of an aluminum-filled SDF charge detonated at $x = 214$ mm. From the pressure records we obtained the time-of-arrival for the primary blast front and for the blast front reflected at the far end of the tunnel. Similarly we analyzed the signals of the conductivity probe for the time-of-arrival of the conductive material. Plotting these time-of-arrival values against the gage locations yields the three black lines in Figure 10-15. The time histories of the conductivity probe voltage at different locations are plotted as vertical colored lines. The hue of a line segment encodes the value of the voltage according to a logarithmic scale from 0.01 V to 10 V.

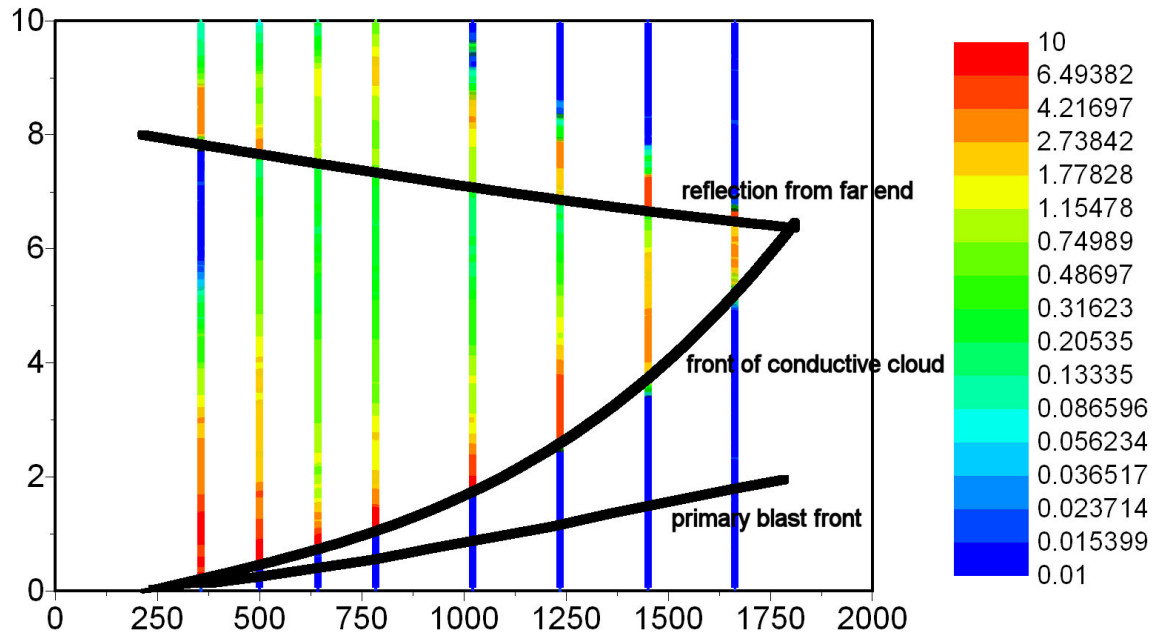


Figure 10-15 Initial step for the construction of a wave diagram for the conductive region evolving from the detonation of an aluminum-filled SDF charge. X-axis: location in the tunnel in mm, y-axis: time in ms, color code: conductivity probe signal in V.

In a second step the regions between the colored lines were filled using an approximate interpolation. The resultant wave diagram is shown in Figure 10-16. Obviously the conductive cloud initially follows the primary blast wave at a high velocity, but slows down considerably on its way down the tunnel. In the range from $x = 214$ mm to about $x = 1000$ mm the conductive cloud is defined by a sharp front, further down the tunnel we observe a delay between the onset of conductivity and its maximum. At a distance of $x = 1800$ mm and a time of about 6.5 ms the blast reflection from the far tunnel end impinges onto the conductive cloud. In subsequence the cloud is pushed backwards towards the tunnel front. It is also compressed and reheated, which seems to be the reason for the reinforcement of the conductivity the goes along with the arrival of the reflected shock.

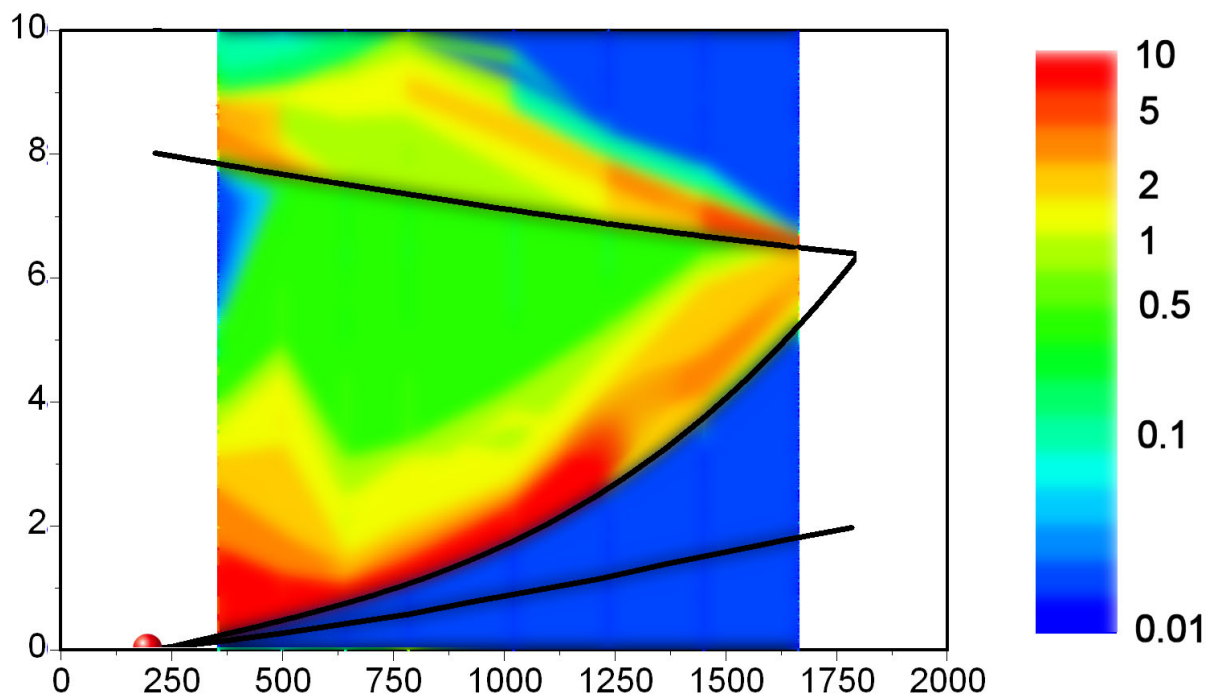


Figure 10-16 Approximate wave diagram for the **conductive** region evolving from the detonation of an aluminum-filled SDF charge.

We have observed a similar phenomenology for the luminosity from the combusting fuel in previous experiments. Thus we constructed a comparable wave diagram from the photo-diode records from the current test series. The observed photo-voltages ranged from 0 to 0.2 V. These were multiplied by a factor of 50 so that the same color-coding could be applied to the photo-diode records. The resultant wave diagram is shown in Figure 10-17. The general evolution of the luminous region is very similar to that of the conductive region. One noteworthy difference is that for locations beyond $x = 1000$ mm the region of maximum luminosity does not coincide with the region of maximum conductivity. This is exemplified in Figure 10-18, which shows the time history of the conductivity at $x = 1236$ mm in comparison to the history of the photo-diode read-out. The conductivity signal starts at about 2.5 ms with a steep rise to the maximum value. The photo signal, which sets on at approximately the same time, increases more slowly to its maximum, which is attained at around 3.3 ms.

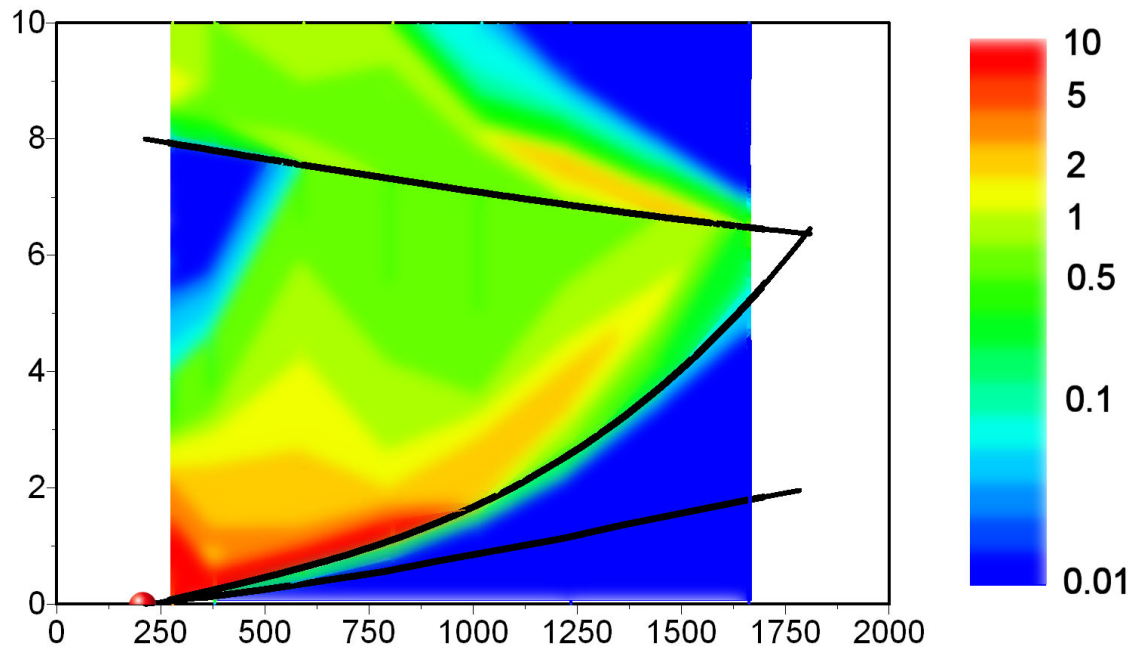


Figure 10-17 Approximate wave diagram for the **luminous** region evolving from the detonation of an aluminum-filled SDF charge.

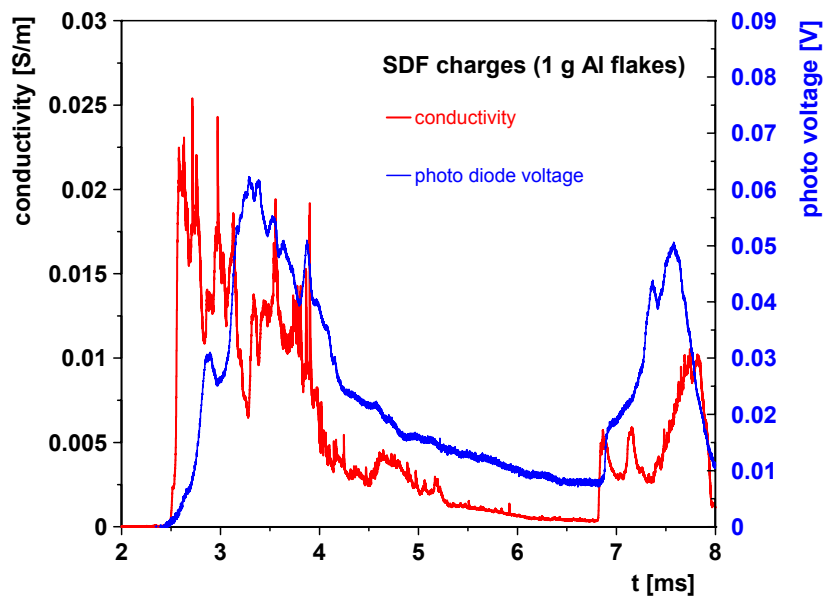


Figure 10-18 Comparison of the time history of the conductivity (red) and the photo-diode voltage (blue) at $x = 1236$ mm.

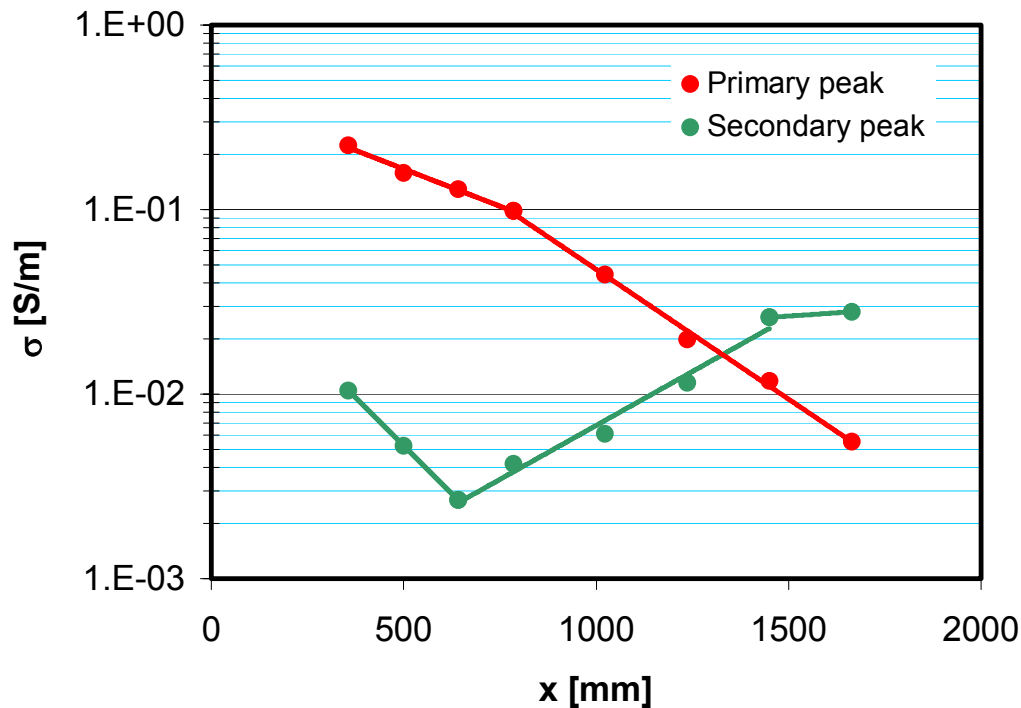


Figure 10-19 Evolution of the conductivity along the tunnel. The term secondary peak denotes the maximum conductivity after reinforcement by the wave reflection from the far tunnel end.

Since the previous figures (except Figure 10-18) mainly presented the measured voltage from the conductivity probe instead of the conductivity values, Figure 10-19 shows how the maximum conductivity values evolve along the tunnel length. Essentially they decay exponentially with a characteristic decay length of 525 mm (6.6 D) in the range to $x = 800$ mm and a characteristic decay length of 312 mm (3.9 D) in the range from $x = 800$ mm to 1600 mm.

Figure 10-19 also includes values for the secondary peak due to reinforcement by the reflected blast wave from the far tunnel end. In the range around $x = 1500$ mm (i.e., close to the tip of the conductive region) the blast reflection not only causes a reinforcement, but a considerable increase above the values for the primary peak.

11 Summary

SDF charges with a 0.5-g PETN booster and a filling of 1 g aluminum flakes have been investigated in three barometric bomb calorimeters with volumes ranging from 6.3 l to of 6.6 l. Though similar in volume, the barometric bombs differed in the length-to-diameter ratio. The tests were carried out with the bombs filled with either air or nitrogen at ambient pressure. The comparison of the test in air to those in nitrogen shows that the combustion of TNT detonation products or aluminum generates a substantial increase of the quasi-steady overpressure in the bombs.

Repeated tests in the same configuration resulted in some scatter of the experimental results. The most likely reason is that the aluminum combustion in most or all cases is incomplete and that the amount of aluminum actually burned varies from test to test.

The mass fraction burned apparently decreases with increasing aspect ratio L/D . Thus an L/D -ratio of about 1 is optimal for the performance of shock-dispersed-fuel combustion. However, at an L/D -ratio of about 5 the combustion still yields appreciable overpressure in excess of the detonation. For a multi-burst scenario in a tunnel environment with a number of SDF charges distributed along a tunnel section a spacing of 5 tunnel diameter and a fuel-specific volume of around 7 l/g might provide an acceptable compromise between optimizing the combustion performance and keeping the number of elementary charges low.

Further tests in a barometric bomb calorimeter of 21.2 l volume were performed with four types of aluminum. The mass fraction burned in this case appeared to depend on the morphology of the aluminum particles. Flake aluminum exhibited a better performance than granulated aluminum with particle sizes ranging from below 25 μm to 125 μm for the coarsest material.

In addition, a feasibility study on electro-magnetic effects from SDF charges detonated in a tunnel has been performed. A method was developed to measure the local, unsteady electro-conductivity in the detonation/combustion products cloud. This method proved to yield reproducible results. A variety of methods were tested with regard to probing electro-magnetic pulses from the detonation of SDF charges. The results showed little reproducibility and were small compared to the effect from pulsed high voltage discharges of comparatively small energy (around 32 J). Thus either no significant electro-magnetic pulse is generated in our small-scale tests or the tested techniques have to be discarded as too insensitive or too limited in bandwidth to detect possibly very high frequency electro-magnetic disturbances.

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